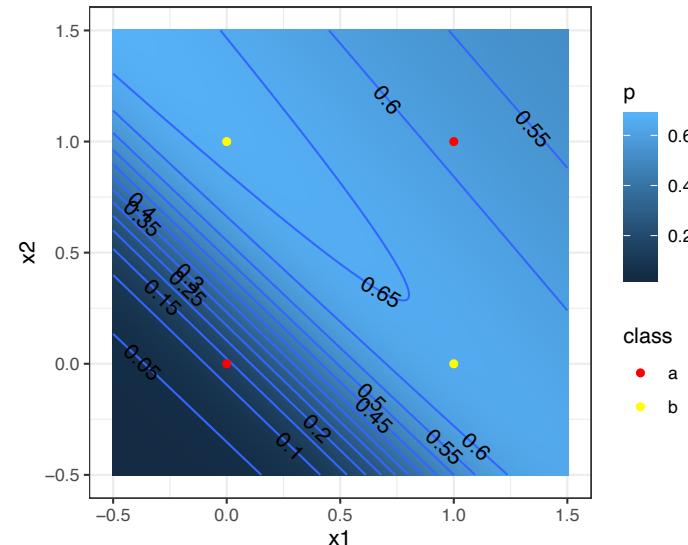
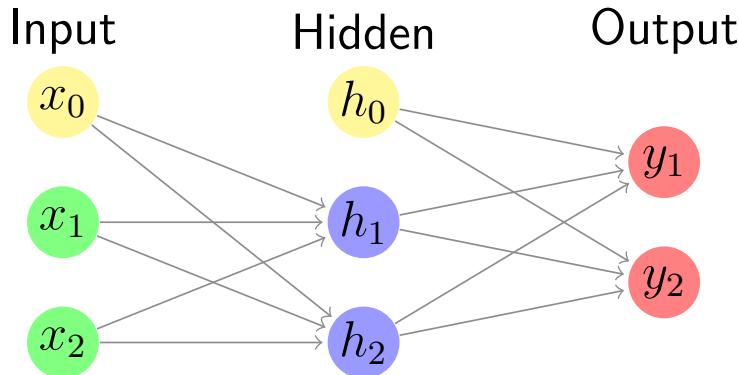


# Neural networks for natural language

Roger Levy  
9.19: Computational Psycholinguistics  
2 November 2023

# Agenda for the day

- Last time: with a hidden layer, a NN can learn XOR...



- ...but language isn't just 2D input+2-class output! So, **today:**
- Dealing with language in neural networks
- Recurrent neural networks (RNNs)
  - Simple recurrent networks (SRNs)
  - Gated recurrent units (GRUs)
  - Long short-term memory networks (LSTMs)
- Examining RNN behavior

# Dealing with language inputs

---

**Adam adores zebras . . .**

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For language, input  $\{x_i\}$  and output prediction  $y$  seem discrete:

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Simplest approach is ***localist*** or ***one-hot*** representations:

$$\begin{array}{lll} \text{Adam} \rightarrow \begin{bmatrix} 1 \\ 0 \\ 0 \\ \vdots \\ 0 \\ 0 \end{bmatrix} & \text{adores} \rightarrow \begin{bmatrix} 0 \\ 1 \\ 0 \\ \vdots \\ 0 \\ 0 \end{bmatrix} & \text{zebras} \rightarrow \begin{bmatrix} 0 \\ 0 \\ 0 \\ \vdots \\ 0 \\ 1 \end{bmatrix} \end{array}$$

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But lower-dimensional ***embeddings*** capture word similarities:

$$\text{Adam} \rightarrow \begin{bmatrix} 0.6 \\ 0.3 \end{bmatrix} \quad \text{adores} \rightarrow \begin{bmatrix} -0.3 \\ 0.4 \end{bmatrix} \quad \text{zebras} \rightarrow \begin{bmatrix} 0.7 \\ -0.1 \end{bmatrix}$$

# Example feed-forward+embedding LM

Bengio et al., 2003: Neural  $n$ -gram language model

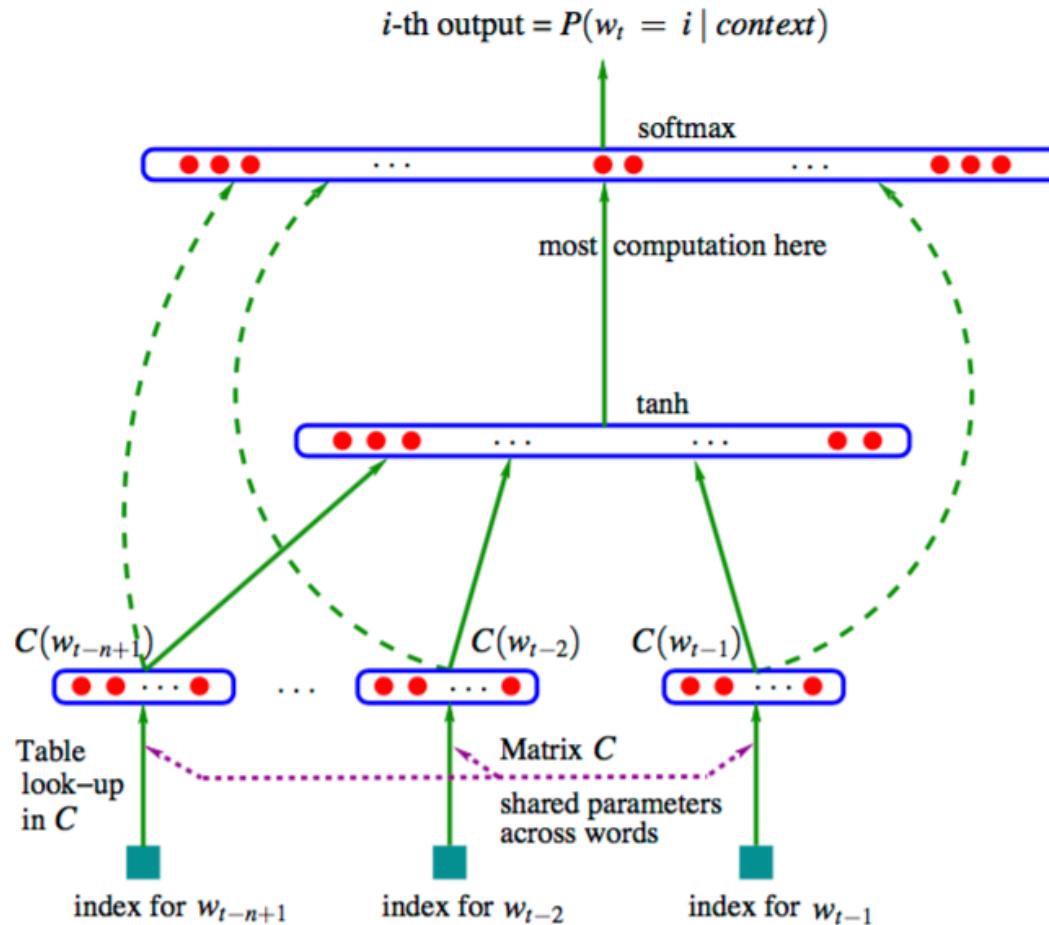


Figure 1: Neural architecture:  $f(i, w_{t-1}, \dots, w_{t-n+1}) = g(i, C(w_{t-1}), \dots, C(w_{t-n+1}))$  where  $g$  is the neural network and  $C(i)$  is the  $i$ -th word feature vector.

# Old (2003!) perplexity results on Brown corpus

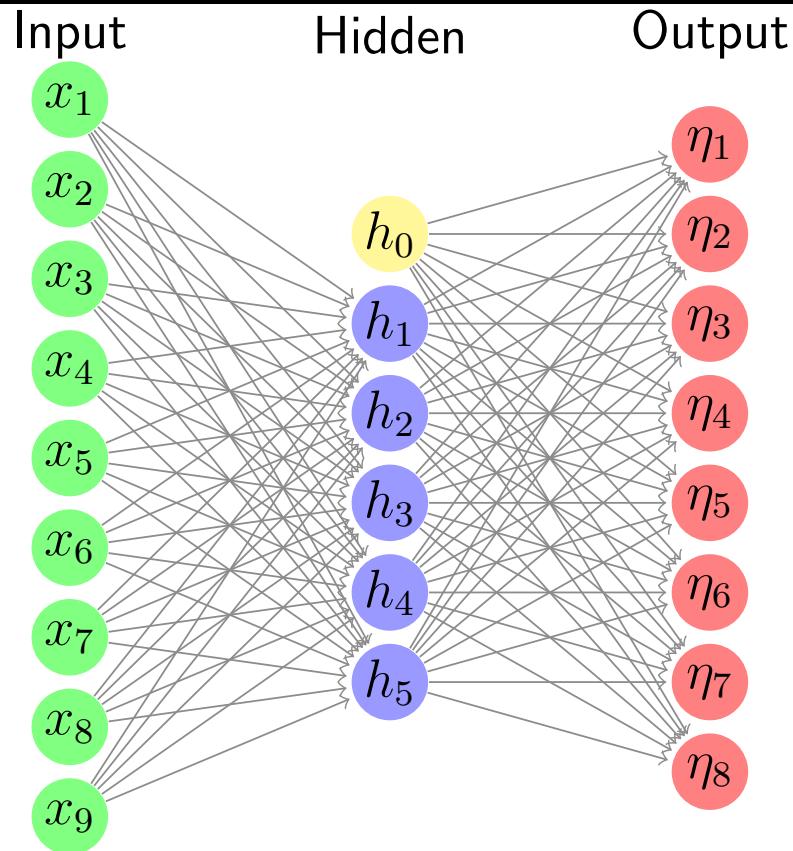
*neural  
language  
models*

*n-gram  
language  
models*

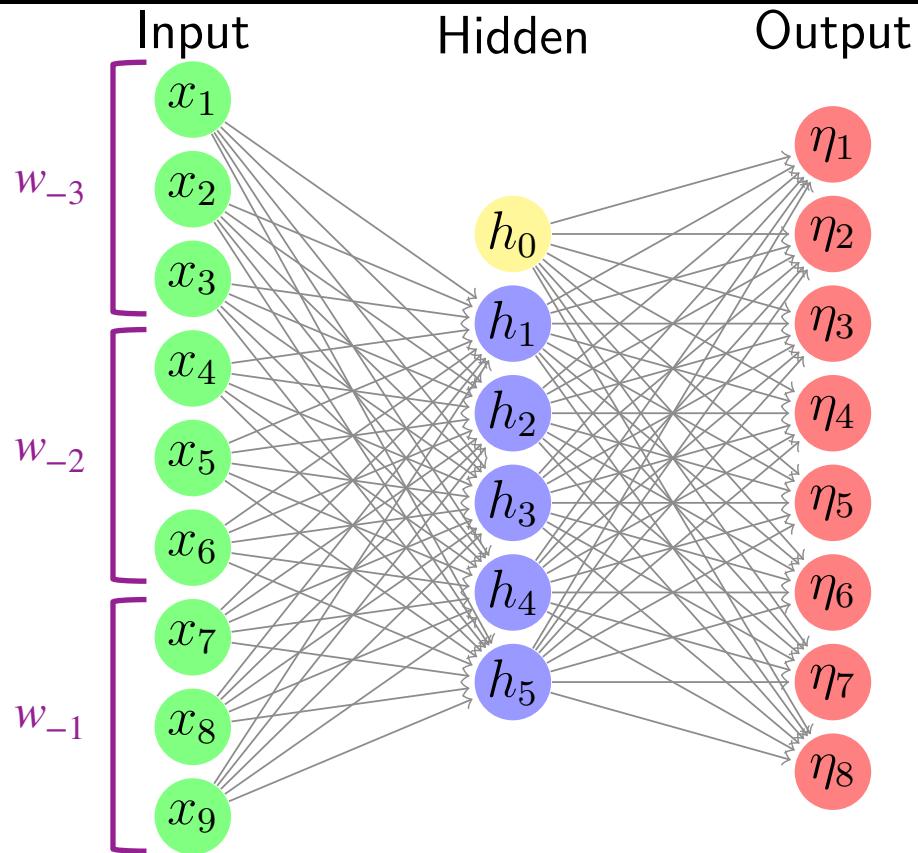
(Bengio et al.,  
2003)

	n	c	h	m	direct	mix	train.	valid.	test.
MLP1	5		50	60	yes	no	182	284	268
MLP2	5		50	60	yes	yes		275	257
MLP3	5		0	60	yes	no	201	327	310
MLP4	5		0	60	yes	yes		286	272
MLP5	5		50	30	yes	no	209	296	279
MLP6	5		50	30	yes	yes		273	259
MLP7	3		50	30	yes	no	210	309	293
MLP8	3		50	30	yes	yes		284	270
MLP9	5		100	30	no	no	175	280	276
MLP10	5		100	30	no	yes		265	<b>252</b>
Del. Int.	3						31	352	336
Kneser-Ney back-off	3							334	323
Kneser-Ney back-off	4							332	321
Kneser-Ney back-off	5							332	321
class-based back-off	3	150						348	334
class-based back-off	3	200						354	340
class-based back-off	3	500						326	<b>312</b>
class-based back-off	3	1000						335	319
class-based back-off	3	2000						343	326
class-based back-off	4	500						327	312
class-based back-off	5	500						327	312

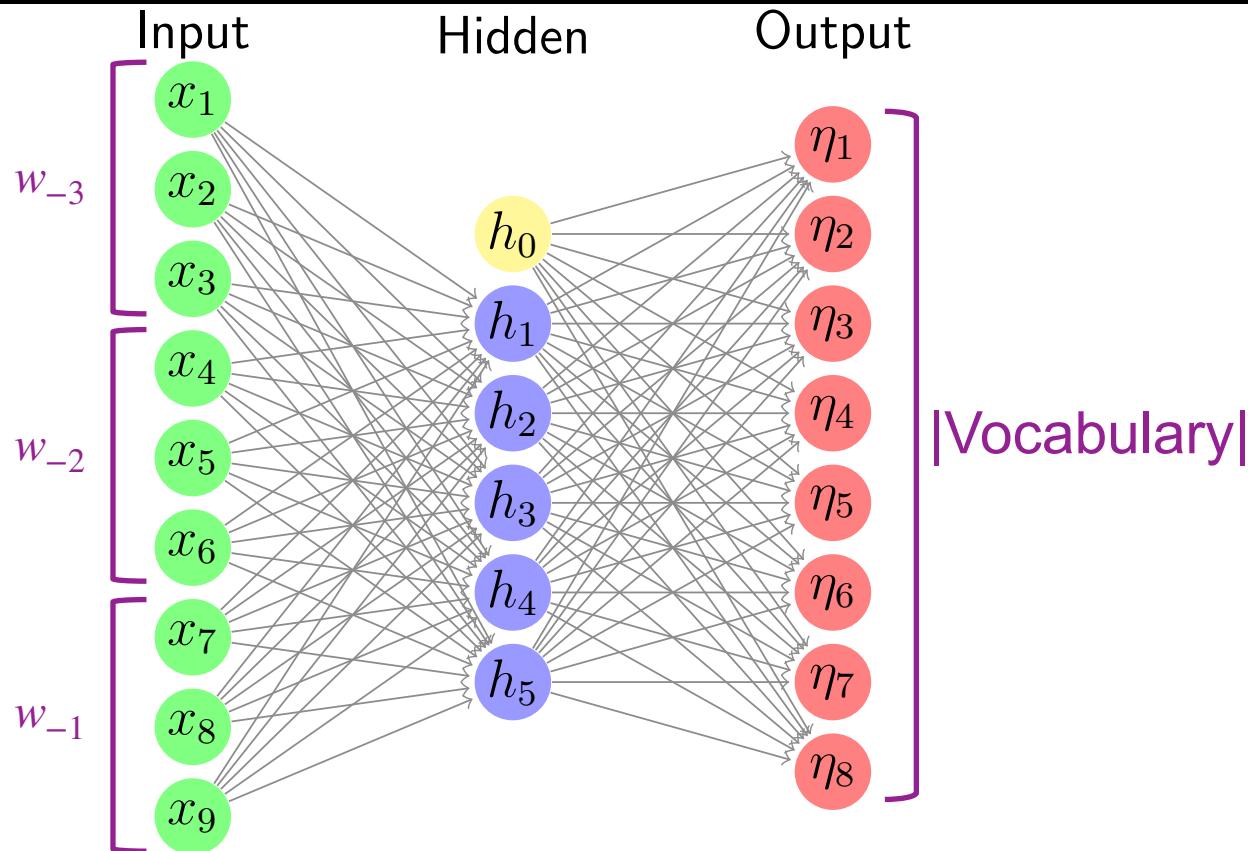
# The neural $n$ -gram model



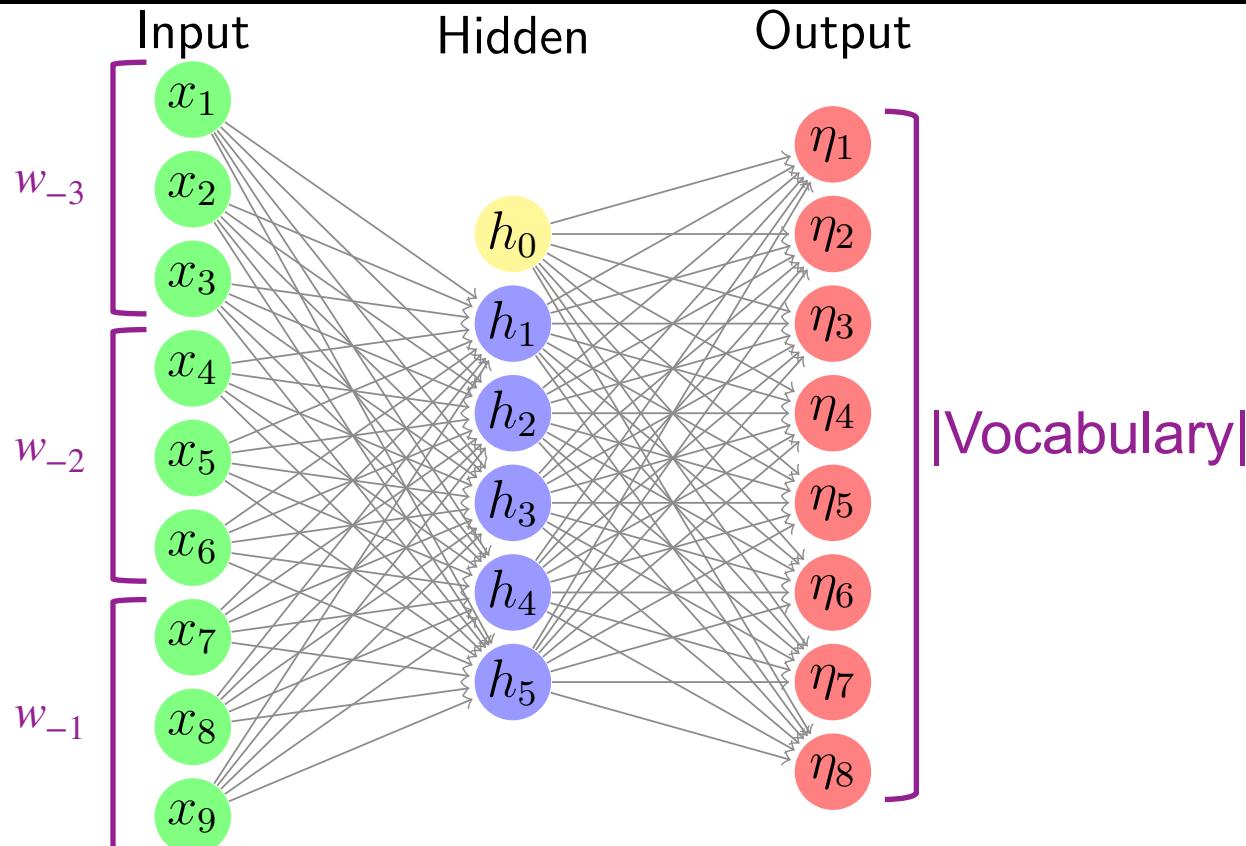
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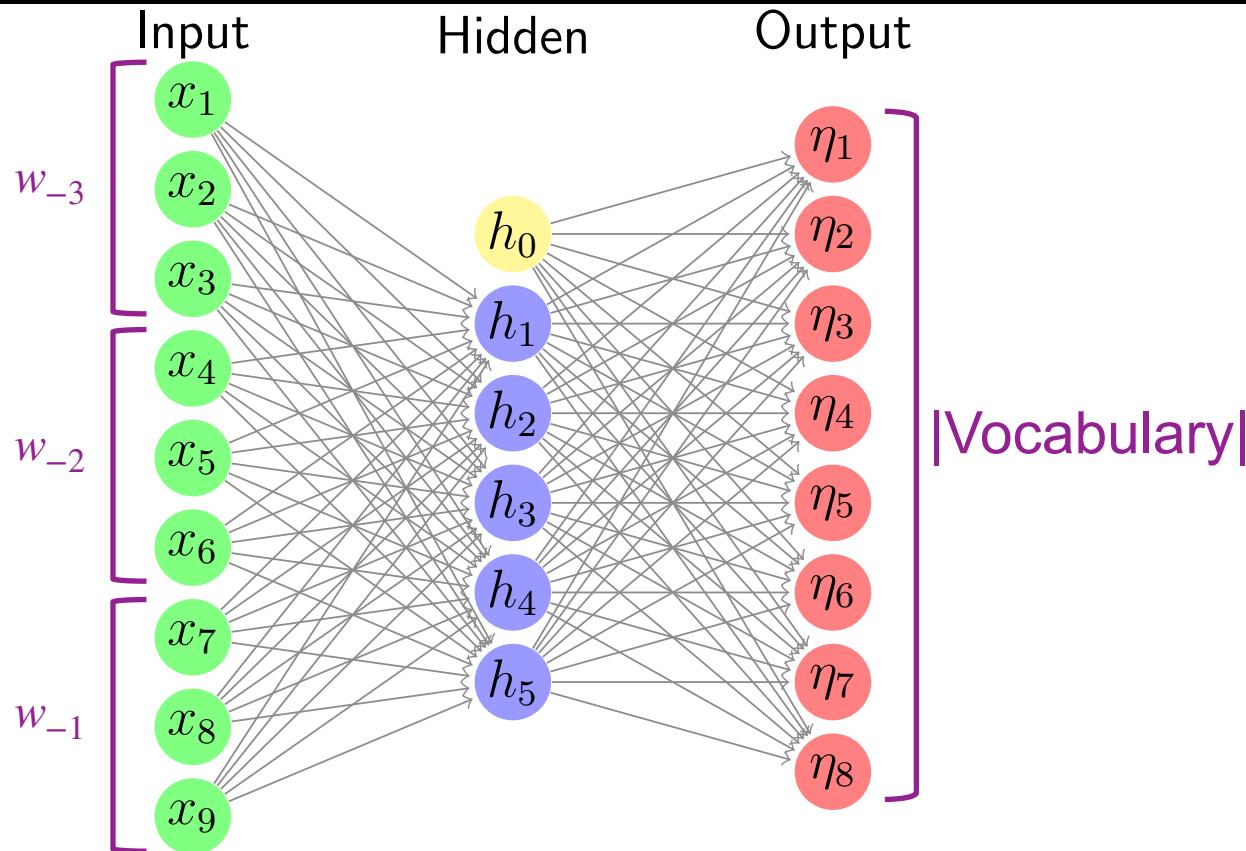


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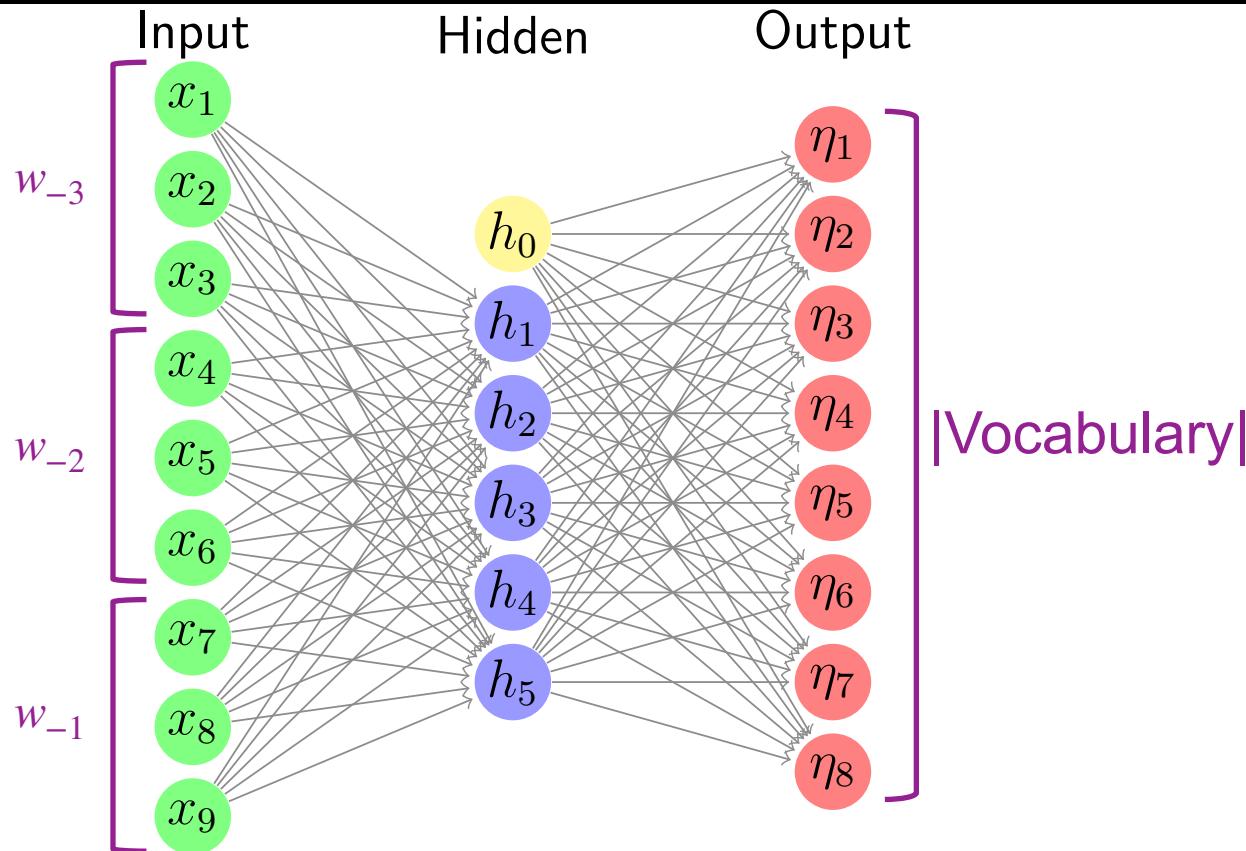
- **Advantages:** generalizes over  $n$ -gram contexts

# The neural $n$ -gram model



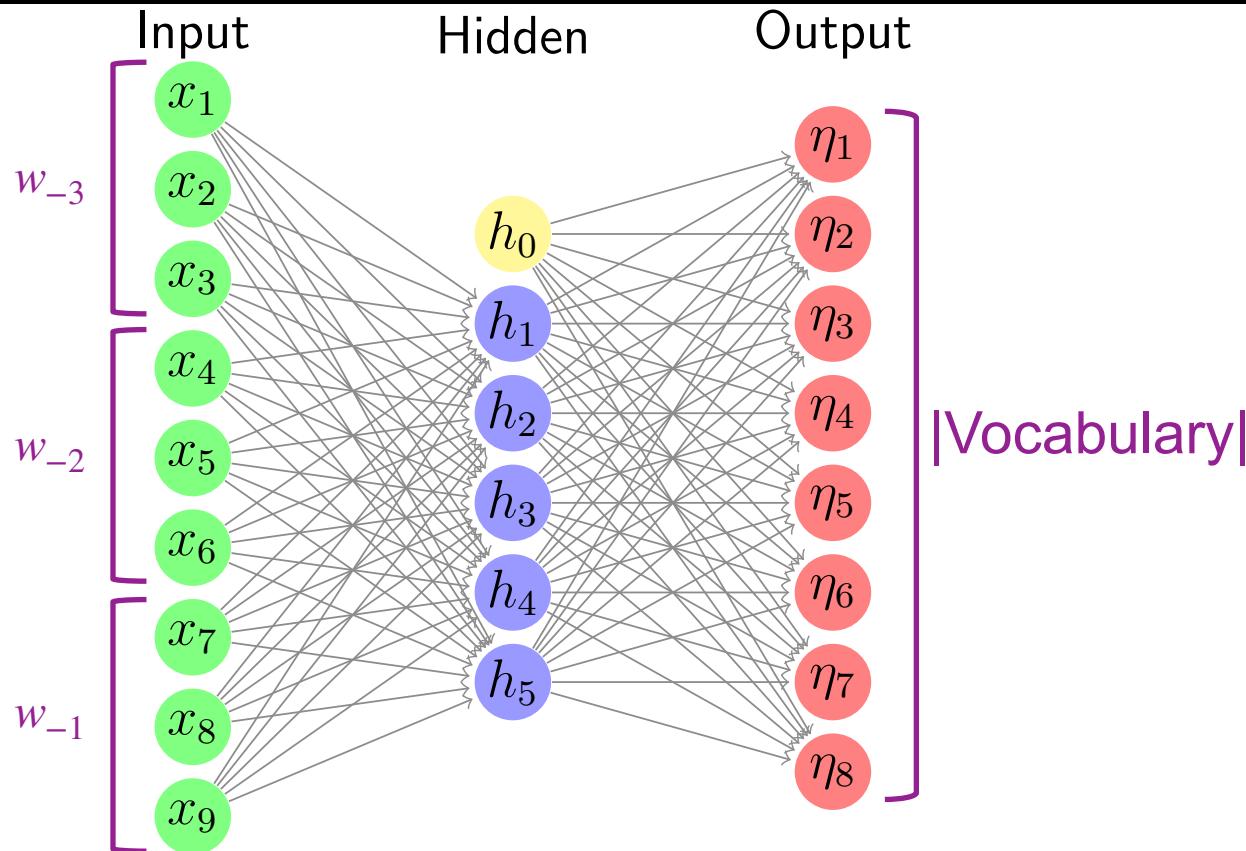
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  - this is for a fixed dimensionality input context

# The neural $n$ -gram model



- **Advantages:** generalizes over  $n$ -gram contexts
- **Limitations:**
  - this is for a fixed dimensionality input context
  - how to model variable-length context, like sentences?

# Recurrent neural networks for language

---

# Recurrent neural networks for language

- Draw inspiration from real-time nature of human language processing

# Recurrent neural networks for language

- Draw inspiration from real-time nature of human language processing
- Previous inputs must be integrated and remembered all together in a uniform representational space

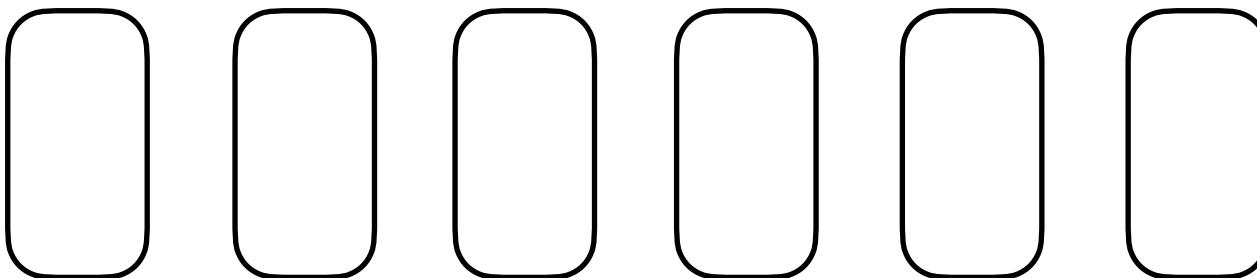
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The woman brought the sandwich from ...

# Recurrent neural networks for language

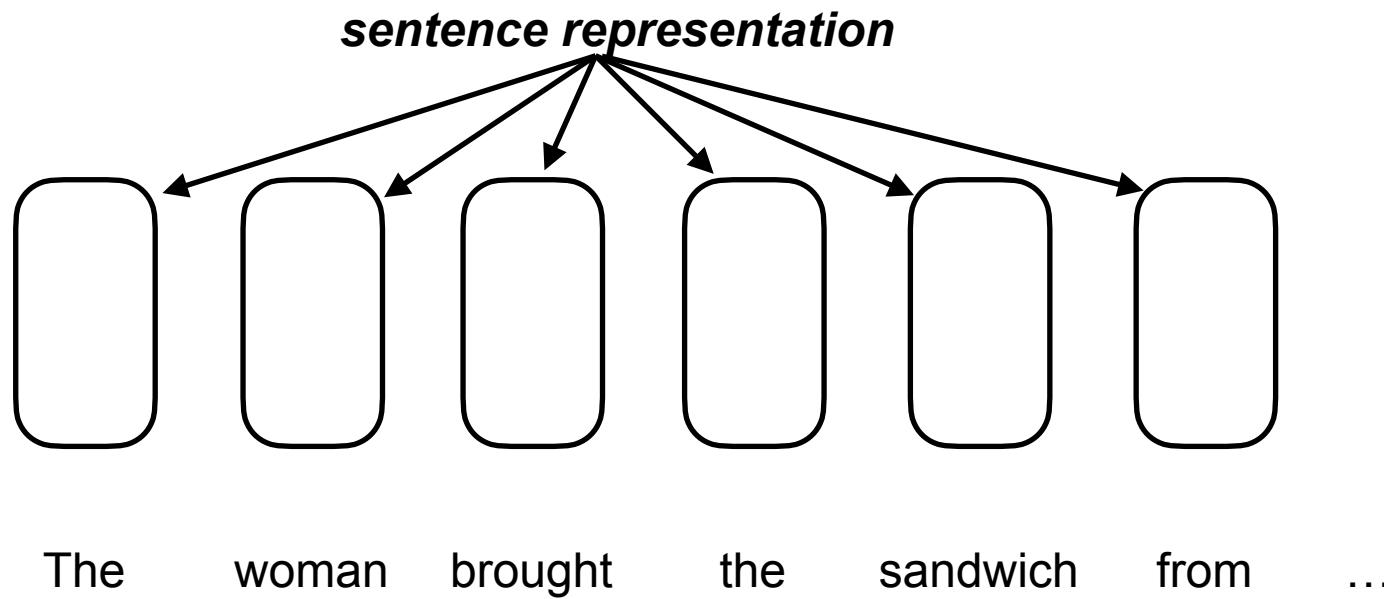
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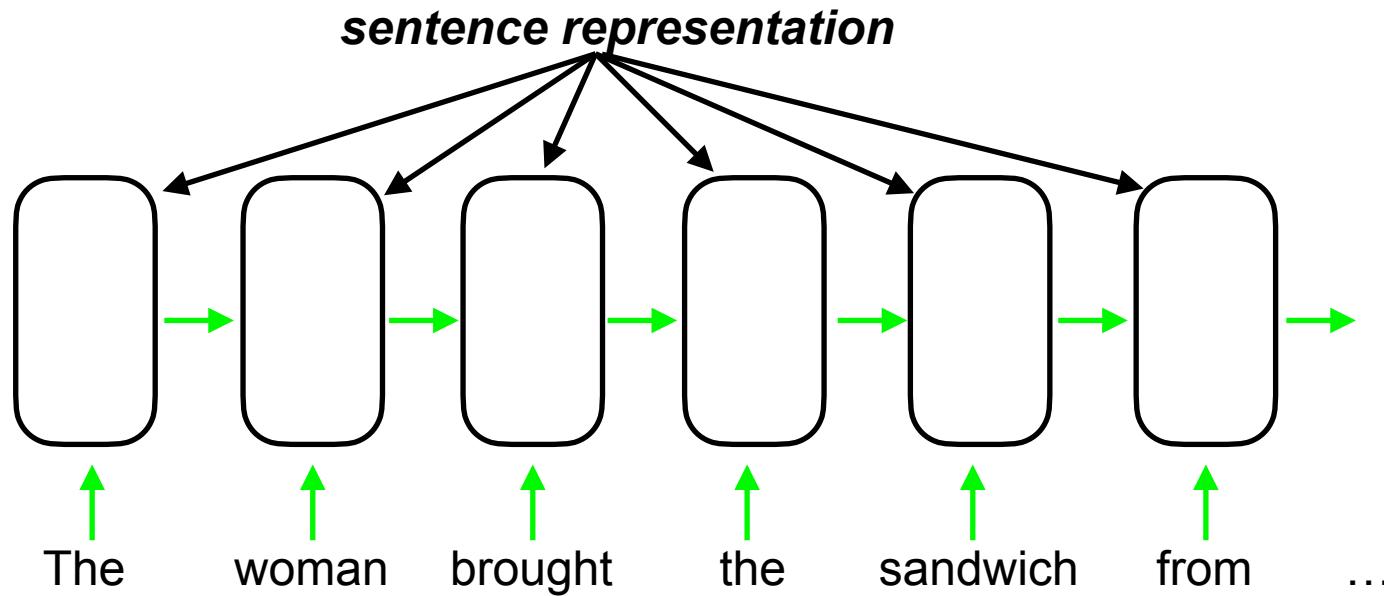
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(Jordan, 1986; Elman, 1990)

# Recurrent neural networks for language

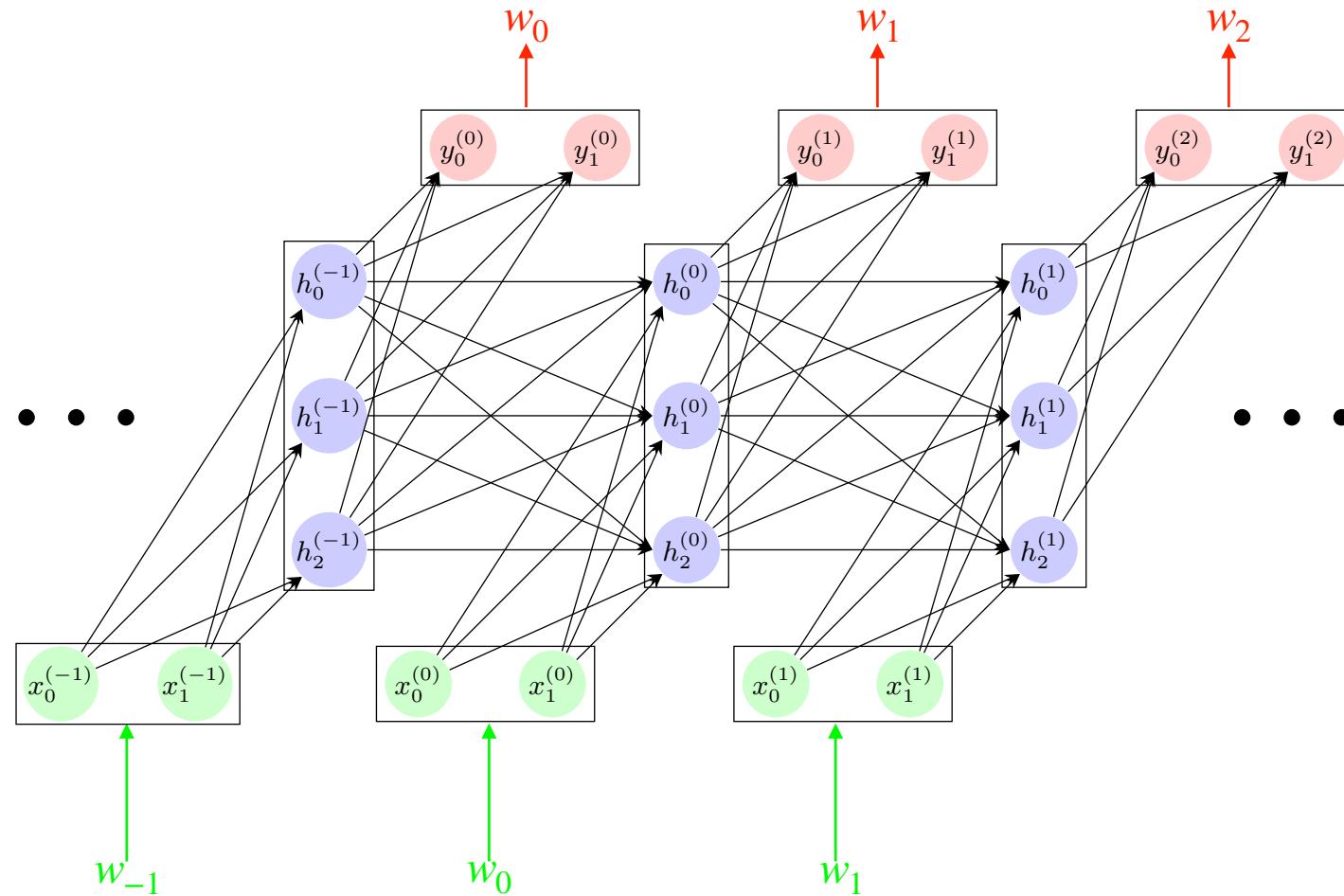
- Draw inspiration from real-time nature of human language processing
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(Jordan, 1986; Elman, 1990)

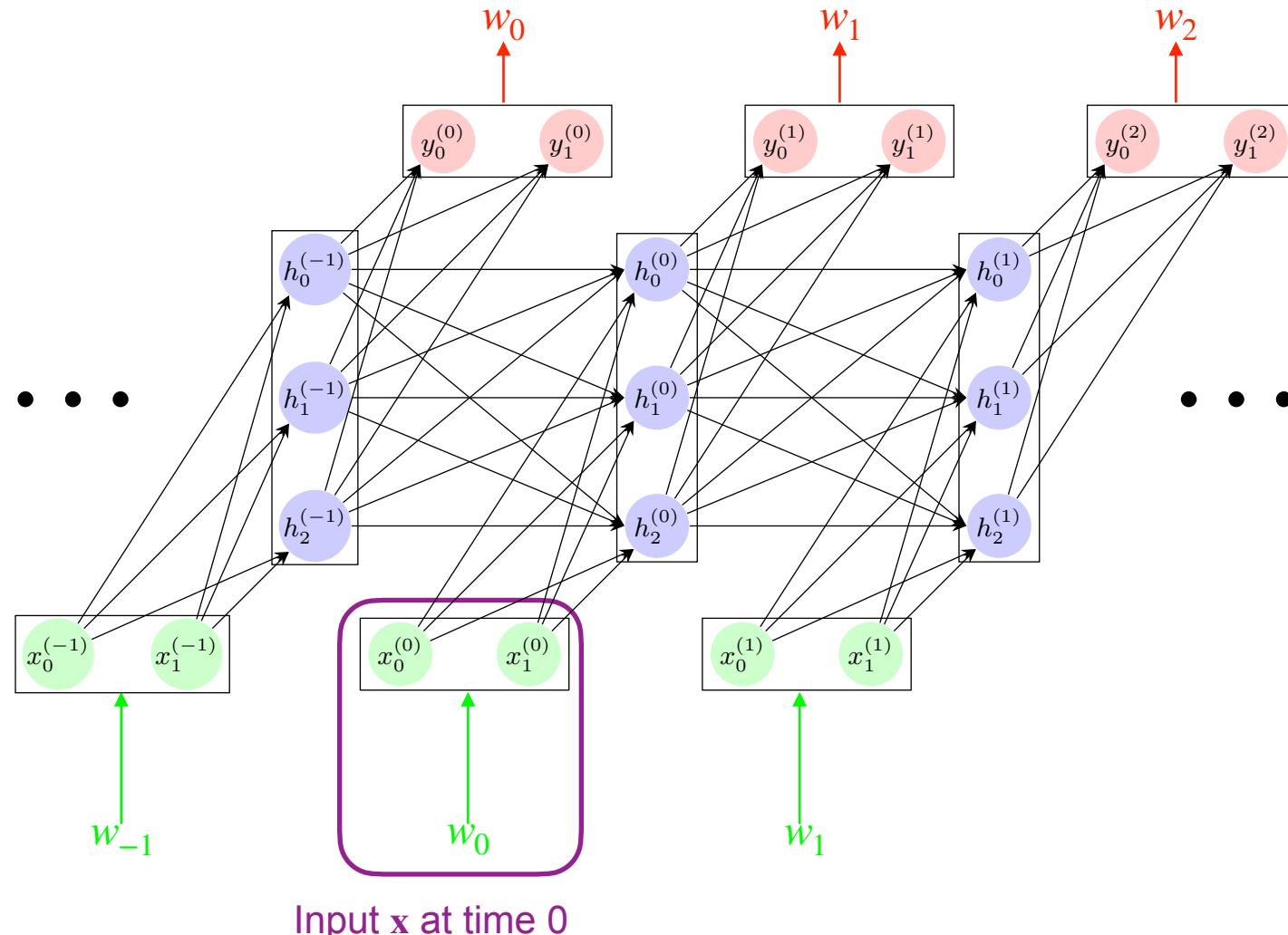
# The Simple Recurrent Network (SRN)

(bias nodes not shown)



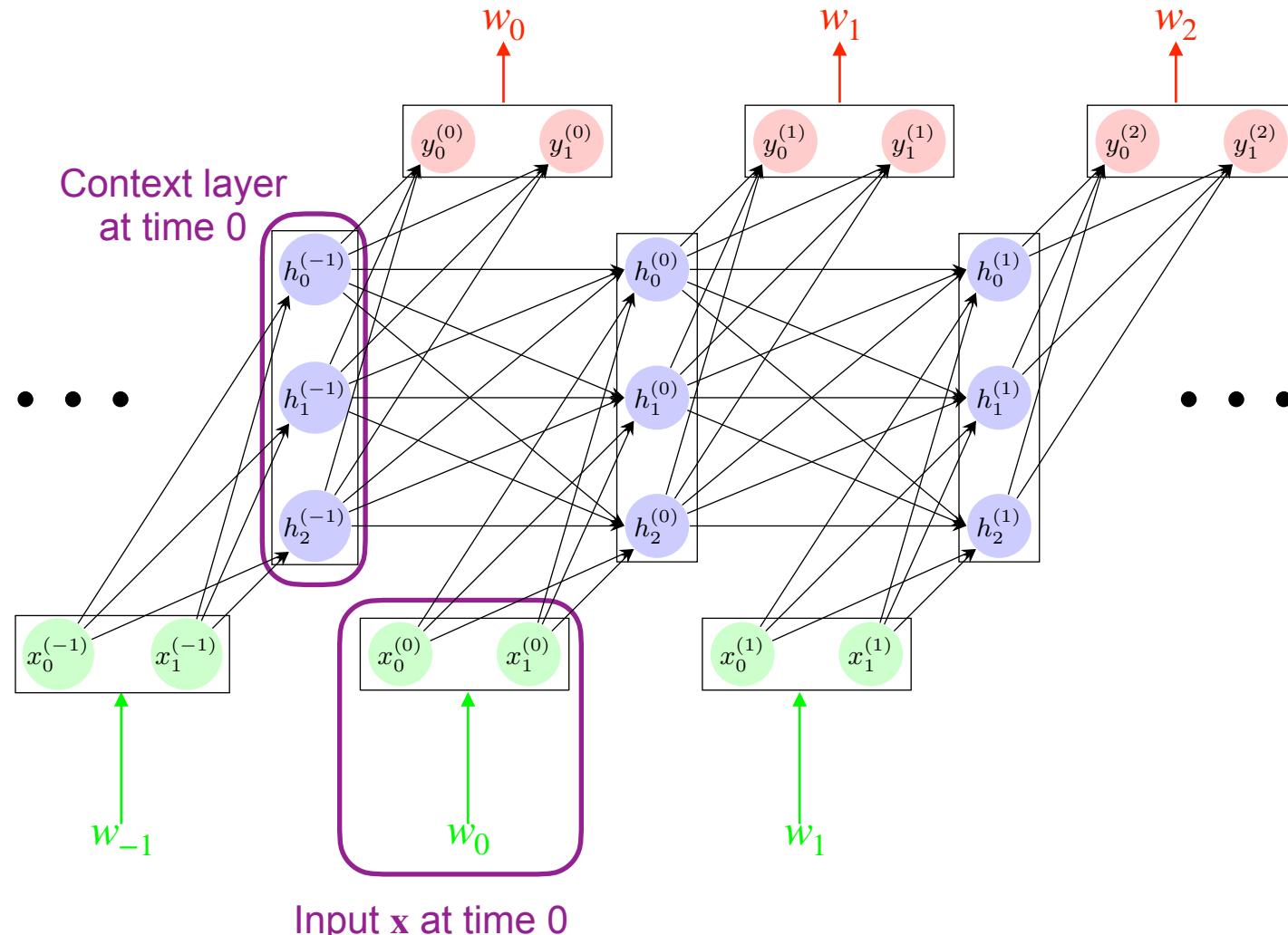
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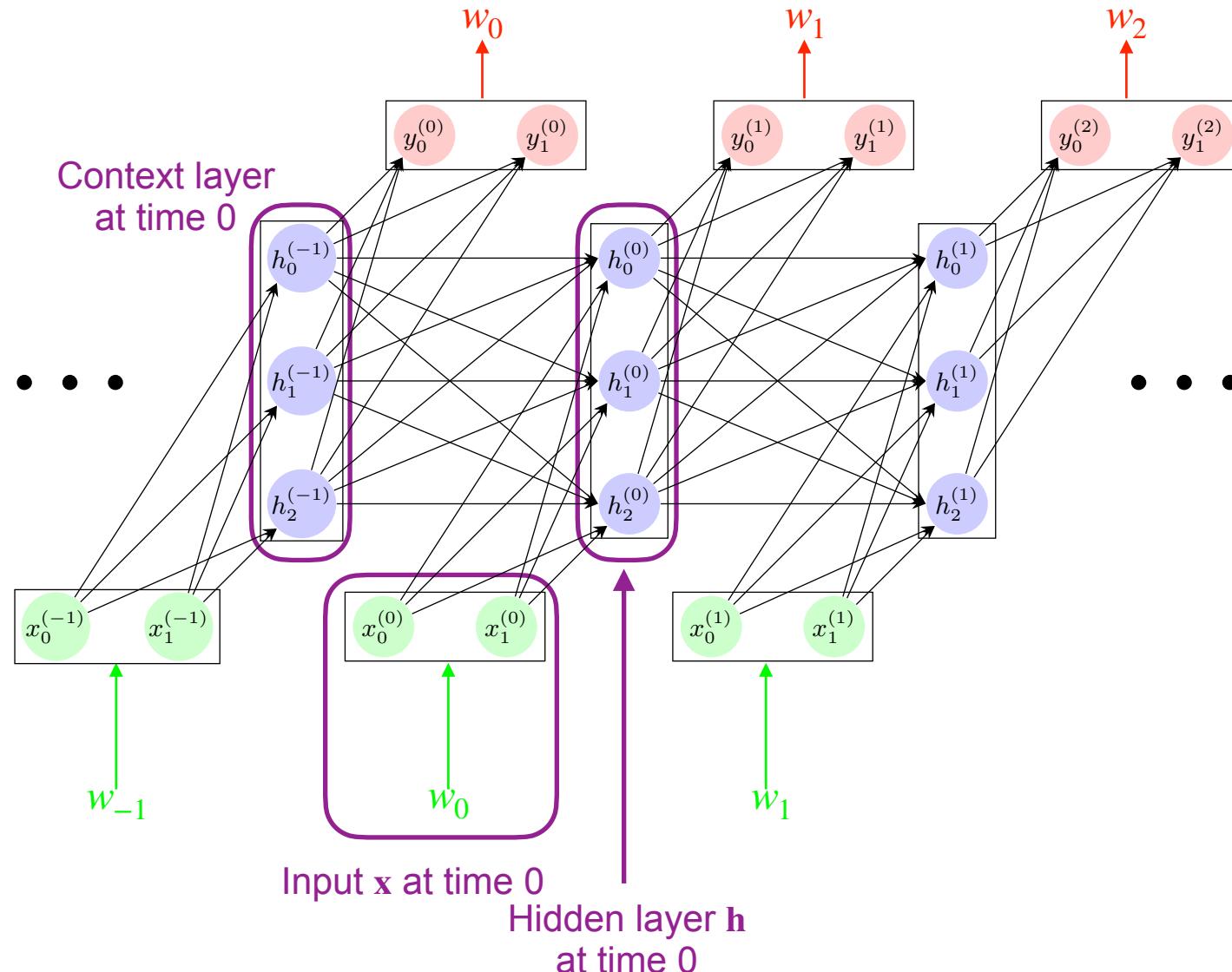
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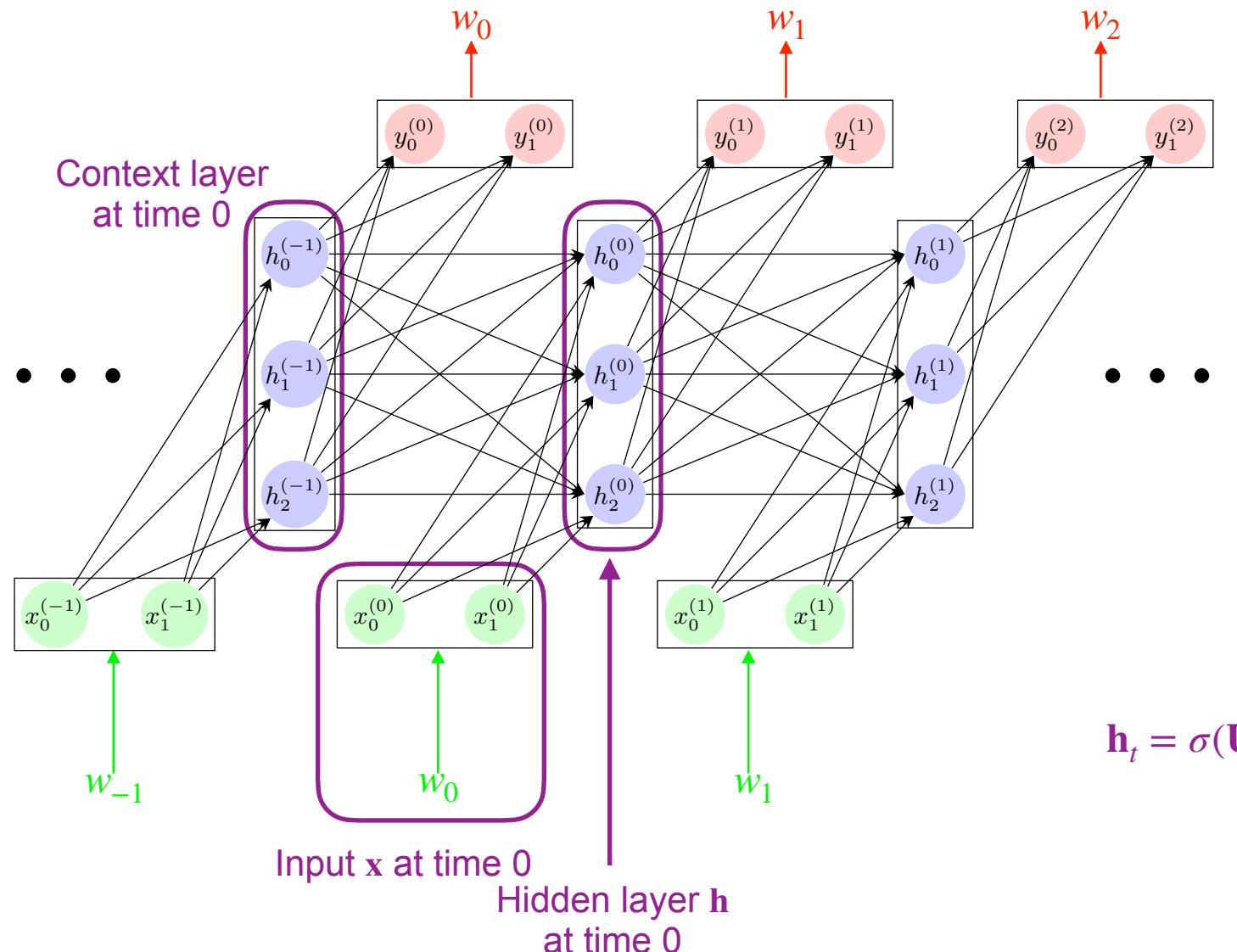
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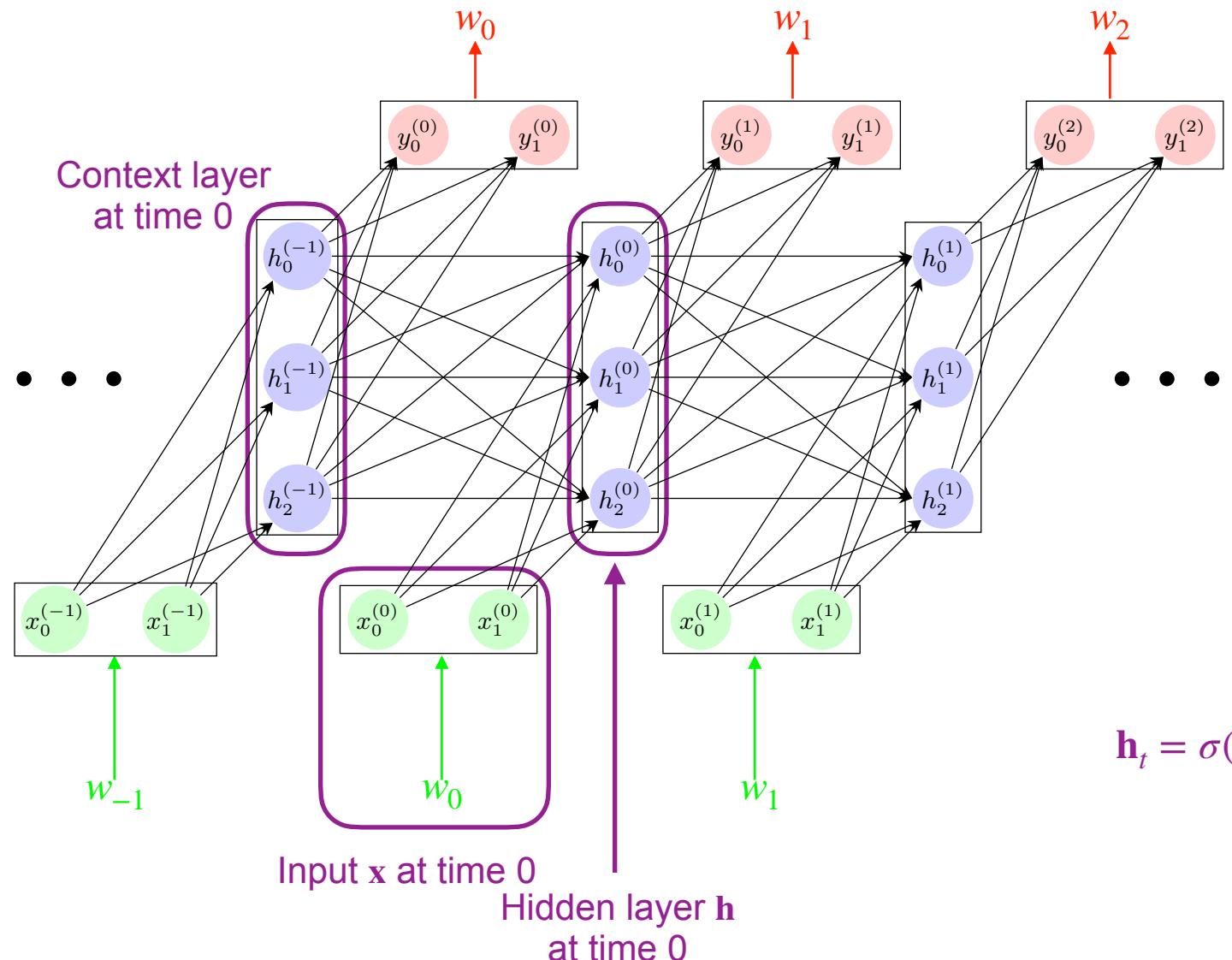
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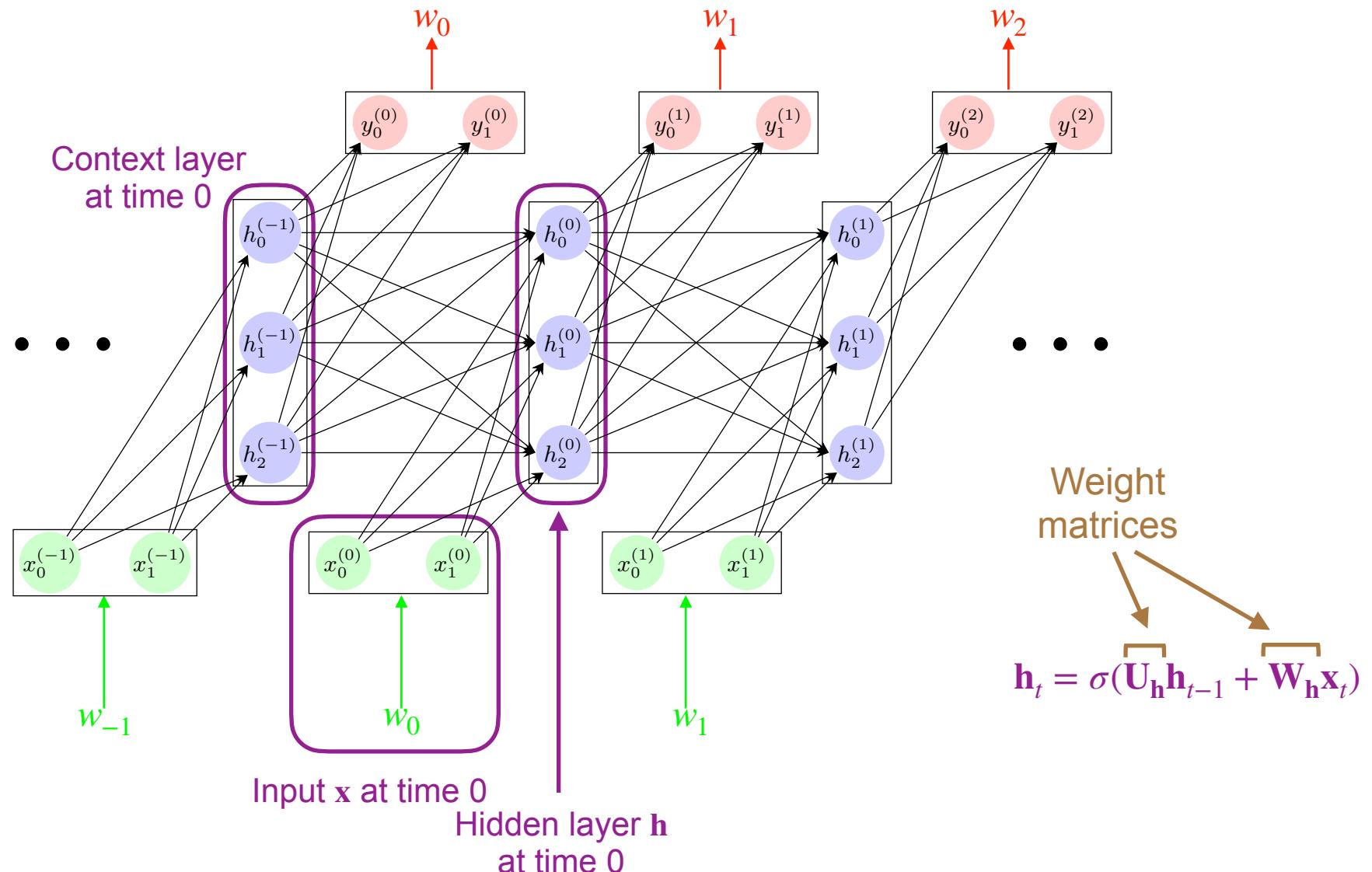
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$$\mathbf{h}_t = \sigma(\mathbf{U}_h \mathbf{h}_{t-1} + \mathbf{W}_h \mathbf{x}_t)$$

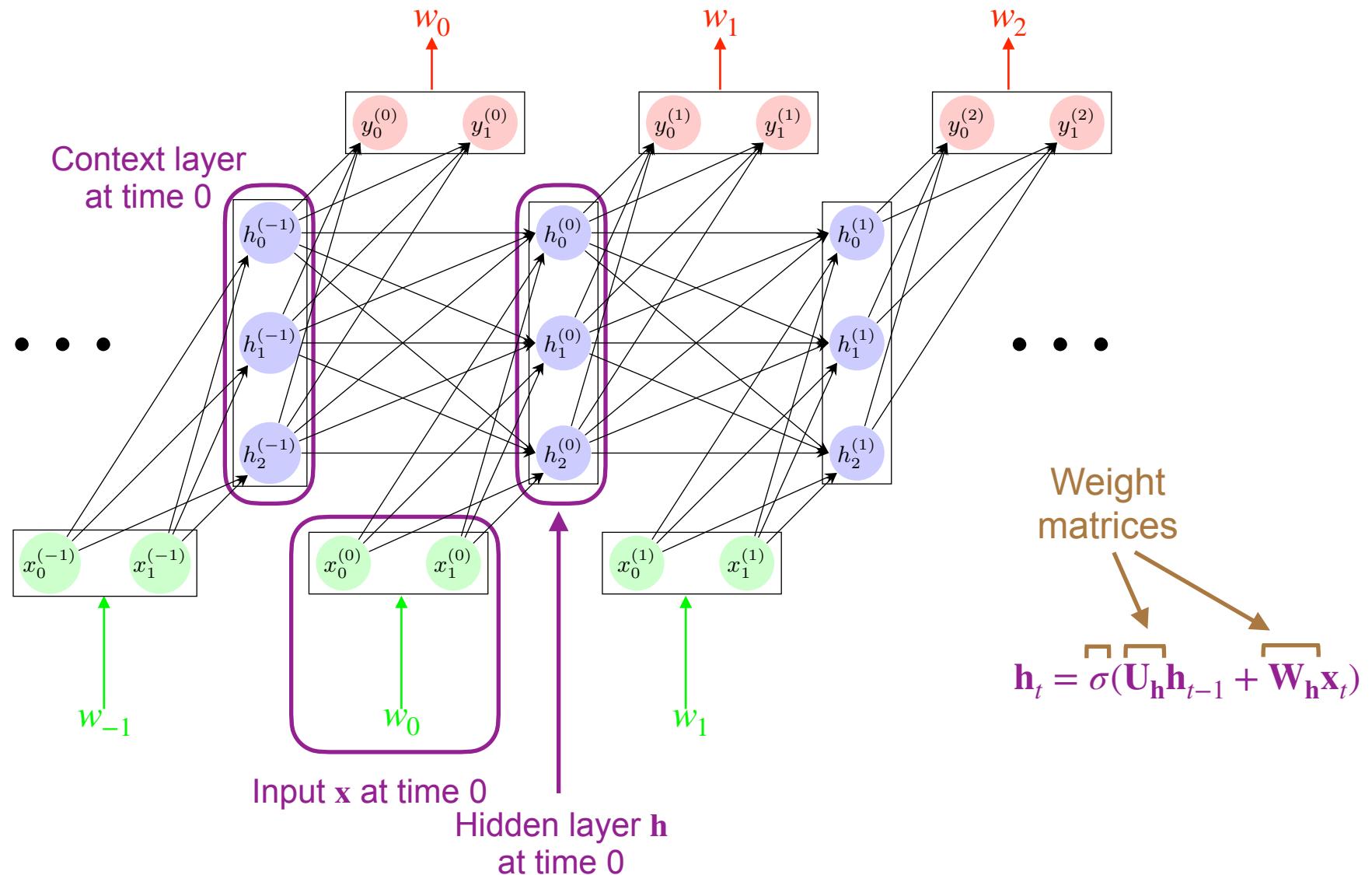
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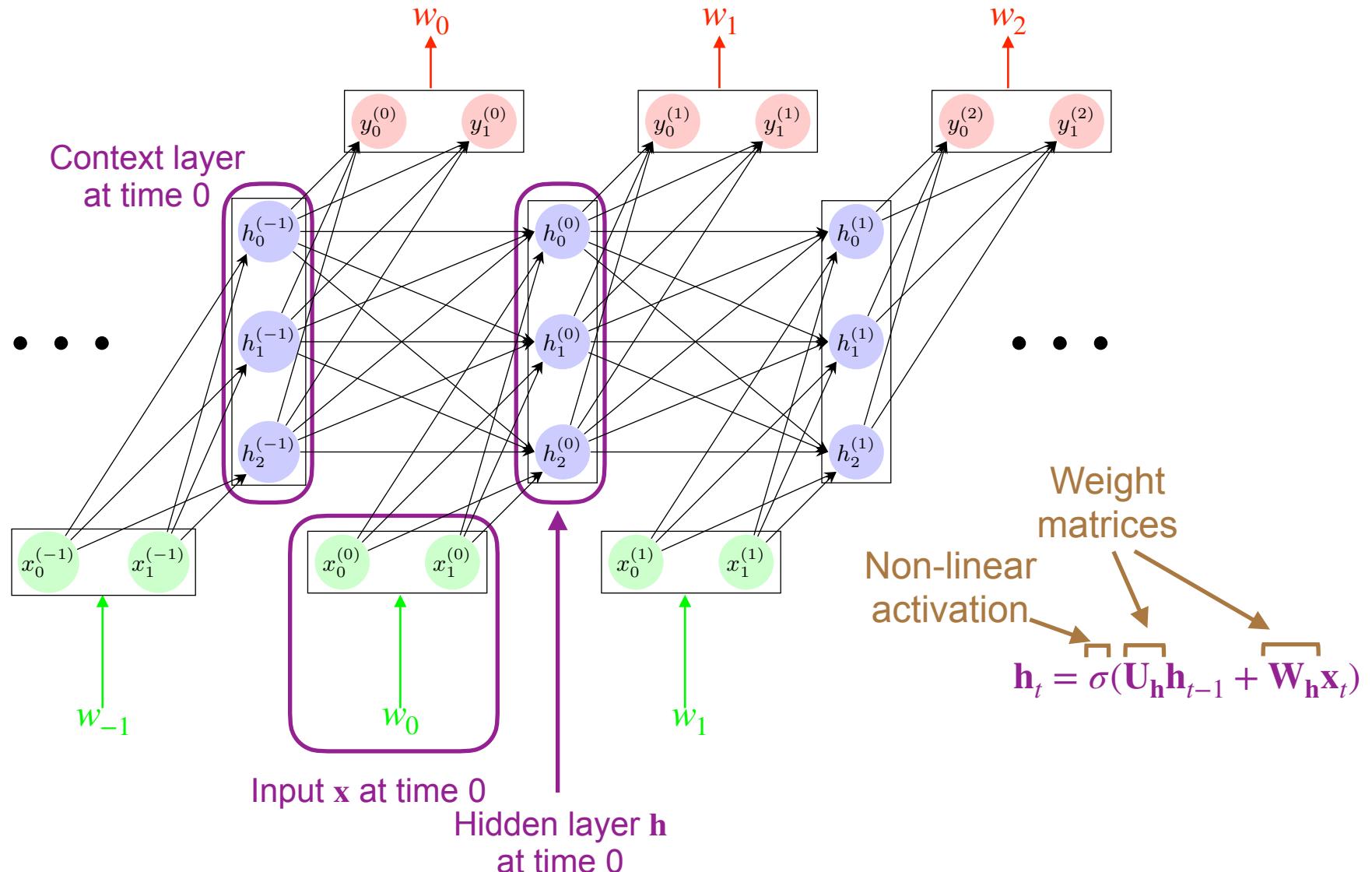
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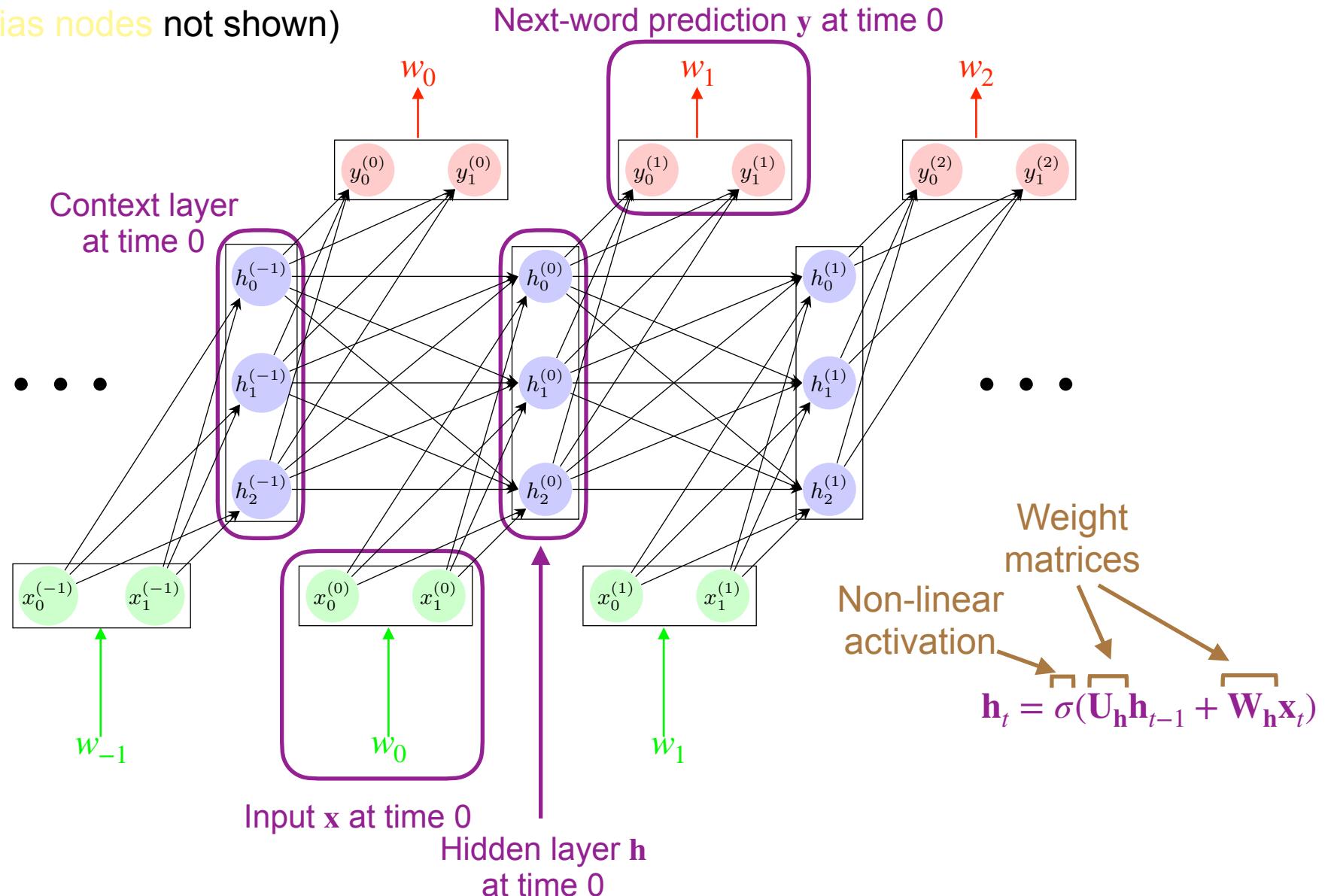
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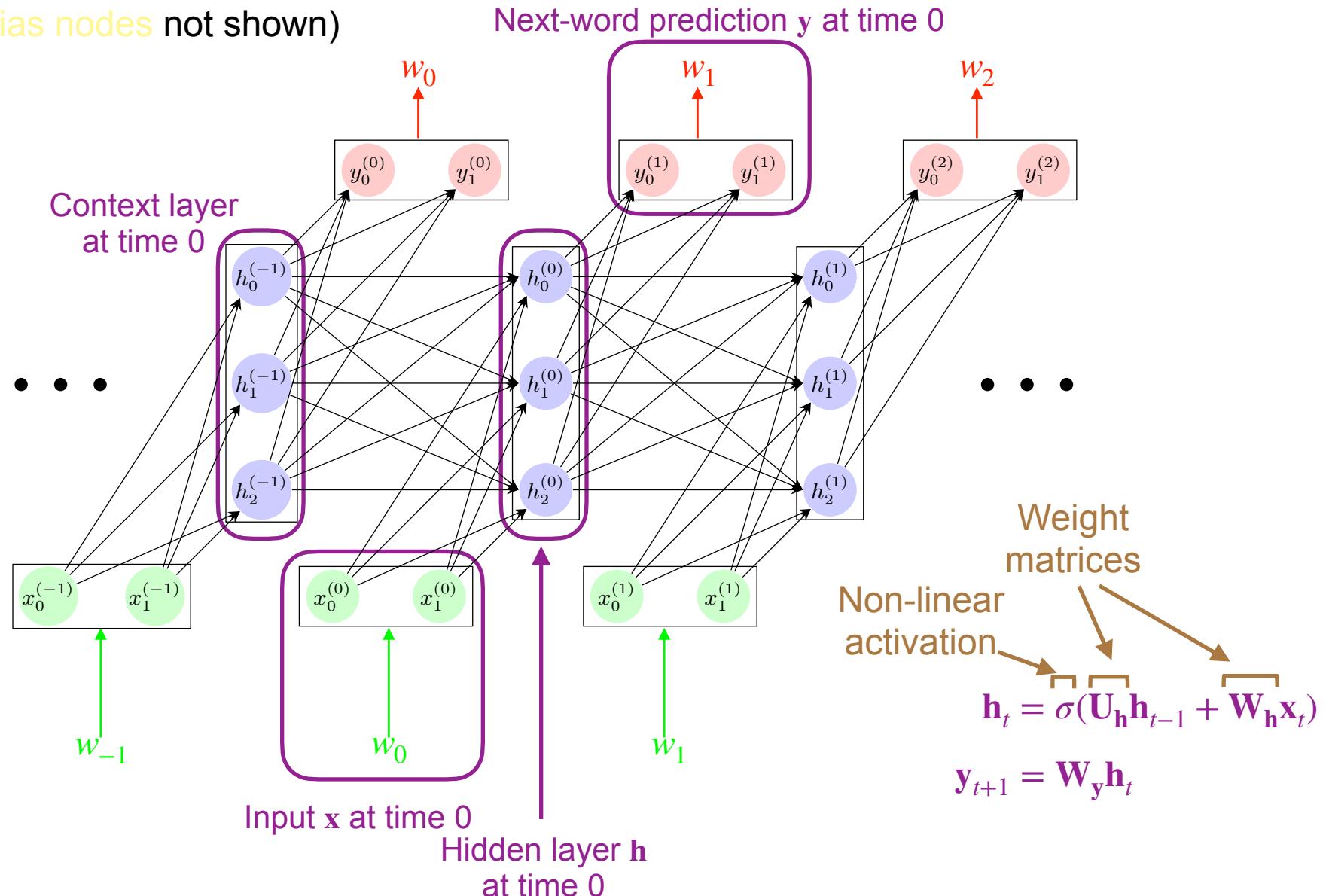
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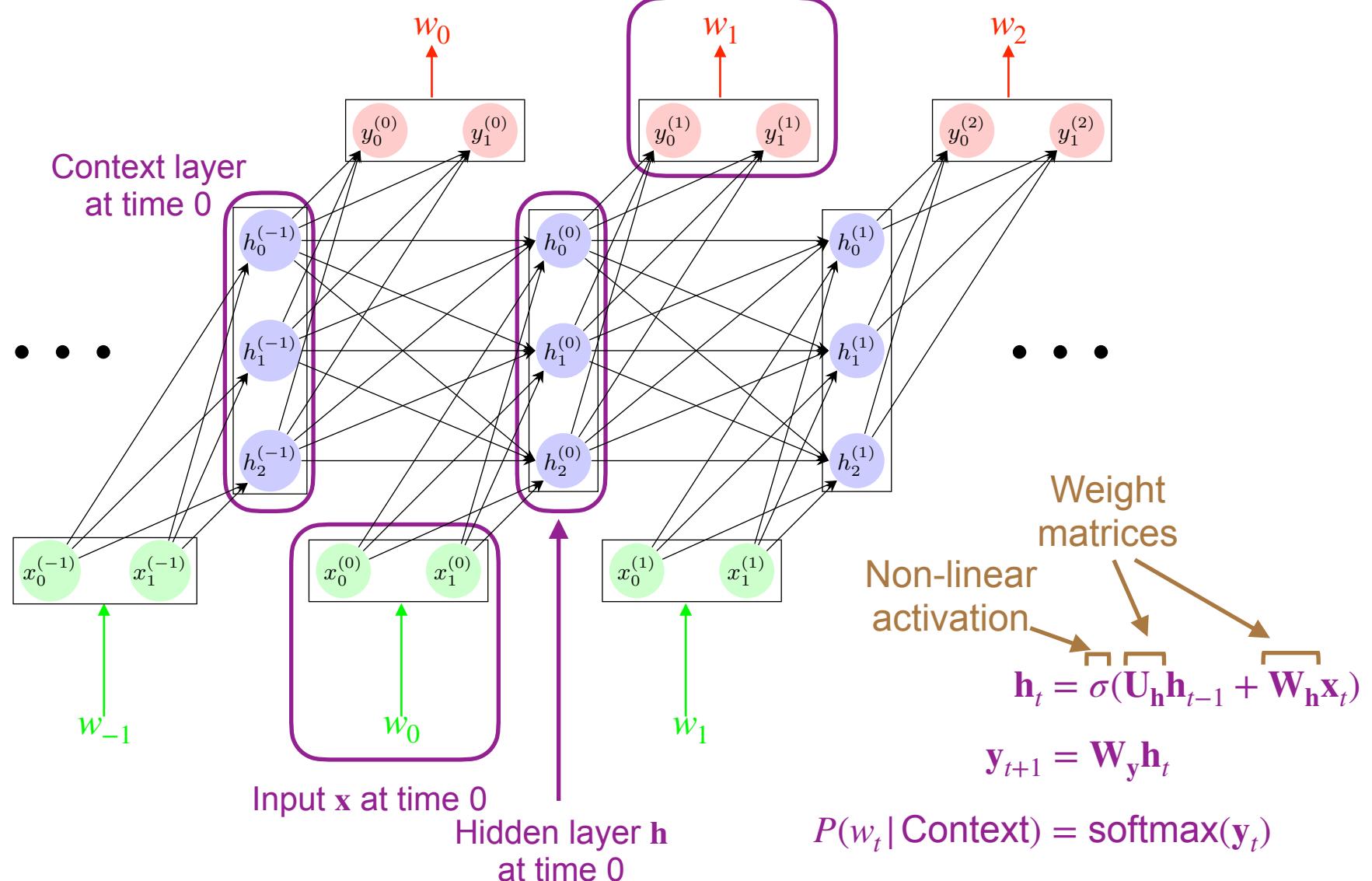
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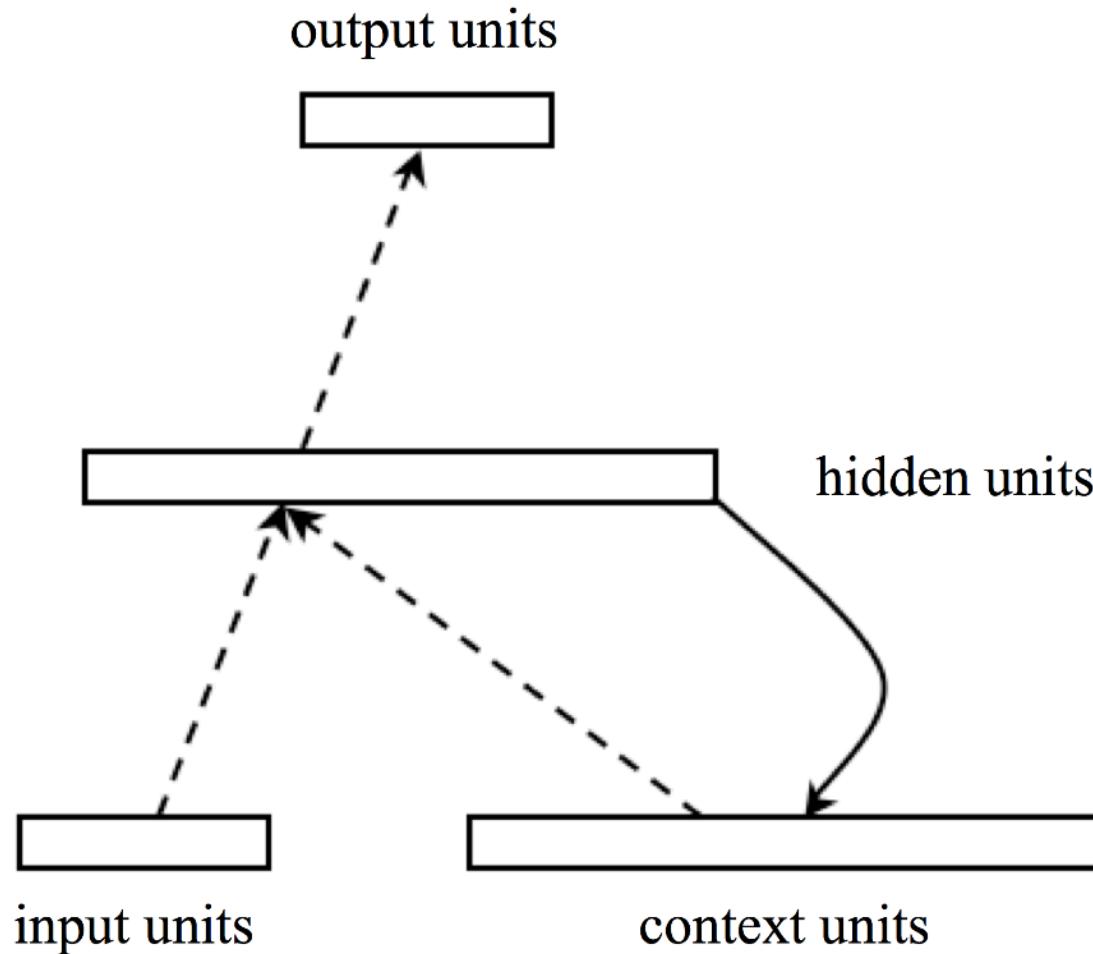
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# SRN "rolled up" and unrolled

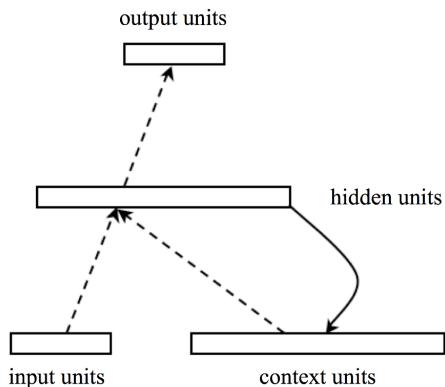
- A “rolled-up” representation (Elman, 1990); and unrolled:



# SRN "rolled up" and unrolled

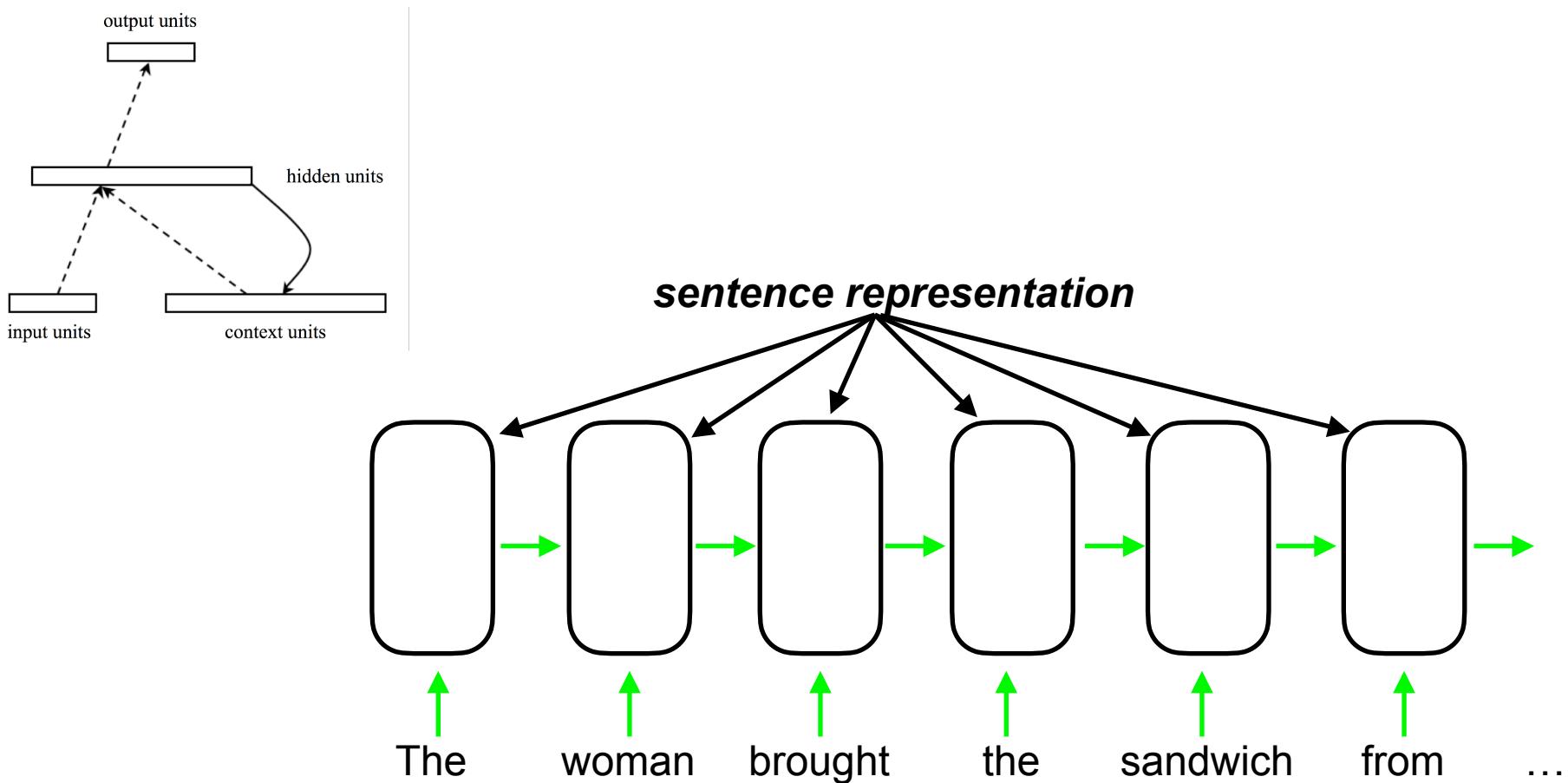
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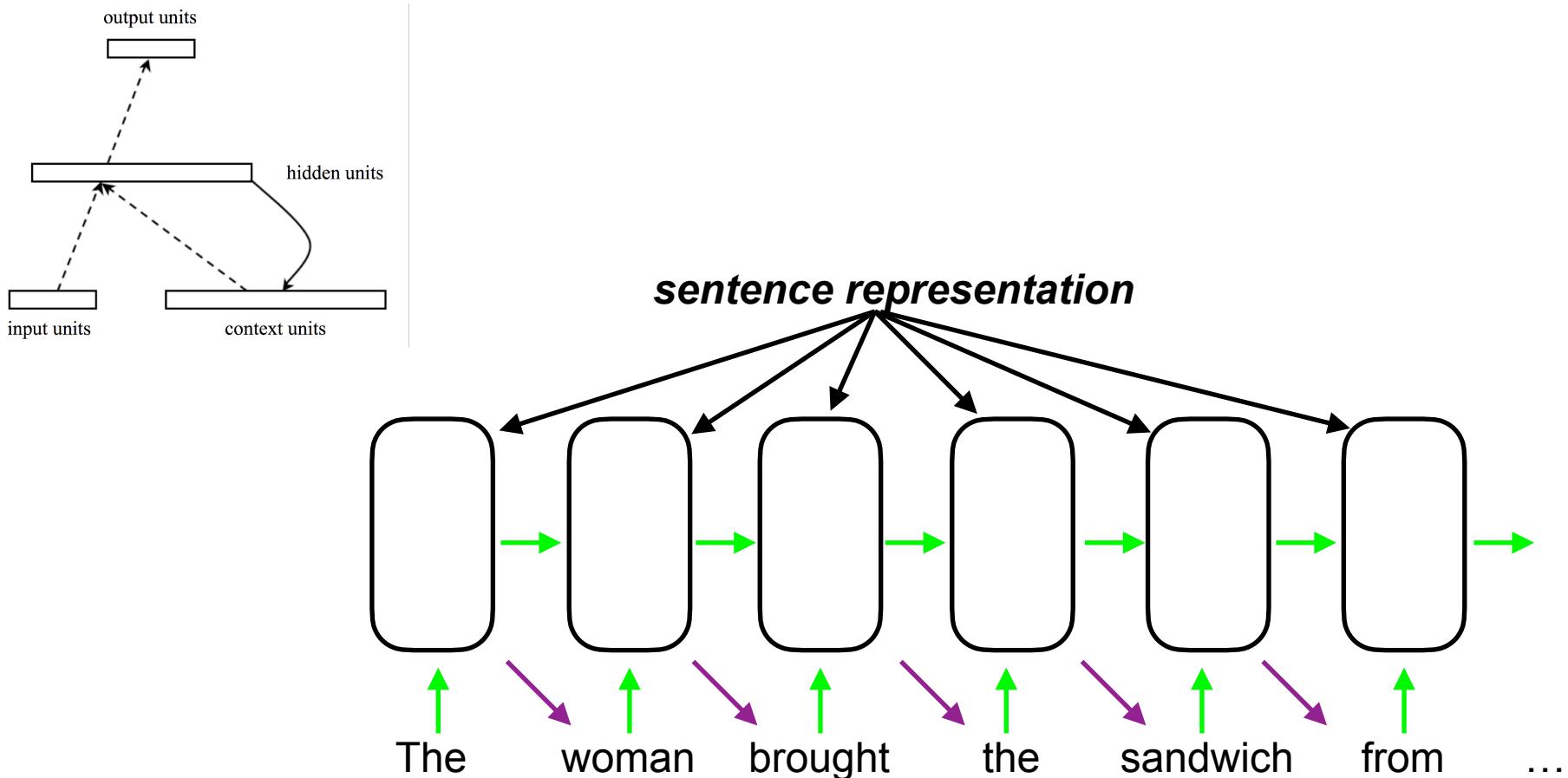
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# SRN "rolled up" and unrolled

- A “rolled-up” representation (Elman, 1990); and unrolled:



*Predict!*

# Learning with artificial language input

TABLE 3  
Categories of Lexical Items Used in Sentence Simulation

Category	Examples
NOUN-HUM	man, woman
NOUN-ANIM	cat, mouse
NOUN-INANIM	book, rock
NOUN-AGRESS	dragon, monster
NOUN-FRAG	glass, plate
NOUN-FOOD	cookie, break
VERB-INTRAN	think, sleep
VERB-TRAN	see, chase
VERB-AGPAT	move, break
VERB-PERCEPT	smell, see
VERB-DESTROY	break, smash
VERB-EAT	eat

TABLE 4  
Templates for Sentence Generator

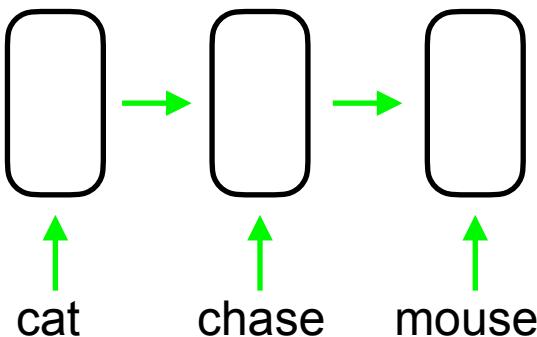
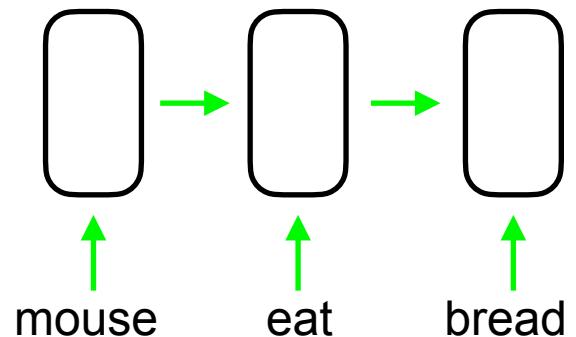
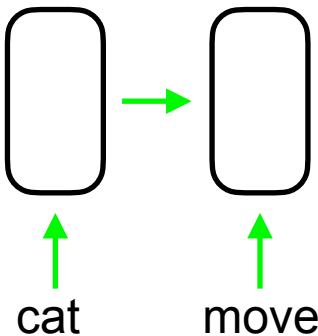
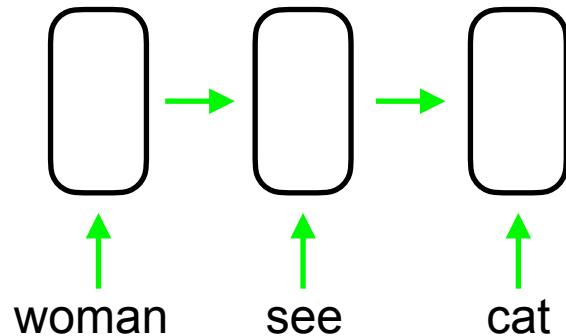
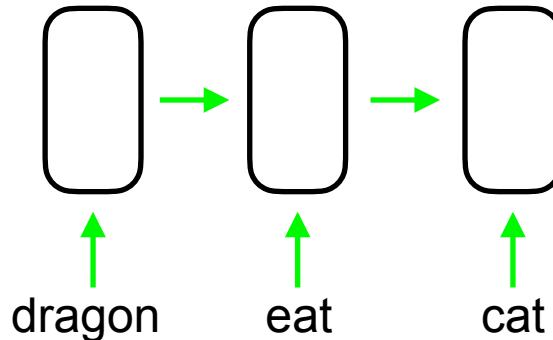
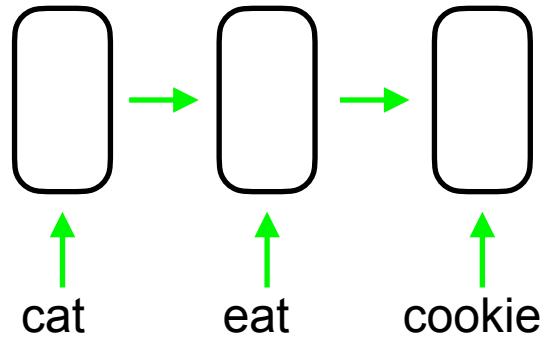
WORD 1	WORD 2	WORD 3
NOUN-HUM	VERB-EAT	NOUN-FOOD
NOUN-HUM	VERB-PERCEPT	NOUN-INANIM
NOUN-HUM	VERB-DESTROY	NOUN-FRAG
NOUN-HUM	VERB-INTRAN	
NOUN-HUM	VERB-TRAN	NOUN-HUM
NOUN-HUM	VERB-AGPAT	NOUN-INANIM
NOUN-HUM	VERB-AGPAT	
NOUN-ANIM	VERB-EAT	NOUN-FOOD
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NOUN-ANIM	VERB-AGPAT	NOUN-INANIM
NOUN-ANIM	VERB-AGPAT	
NOUN-INANIM	VERB-AGPAT	
NOUN-AGRESS	VERB-DESTROY	NOUN-FRAG
NOUN-AGRESS	VERB-EAT	NOUN-HUM
NOUN-AGRESS	VERB-EAT	NOUN-ANIM
NOUN-AGRESS	VERB-EAT	NOUN-FOOD

# Used *localist* word representations

## Fragment of Training Sequences for Sentence Simulation

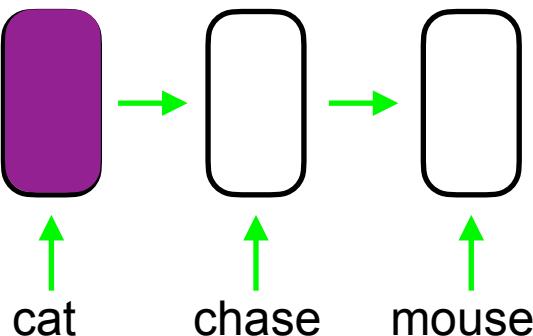
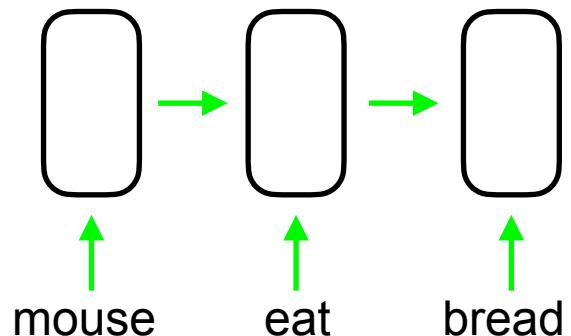
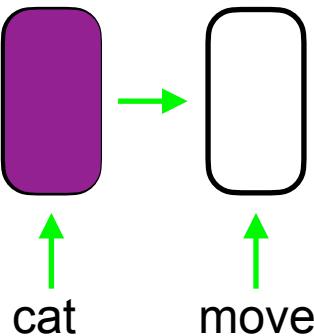
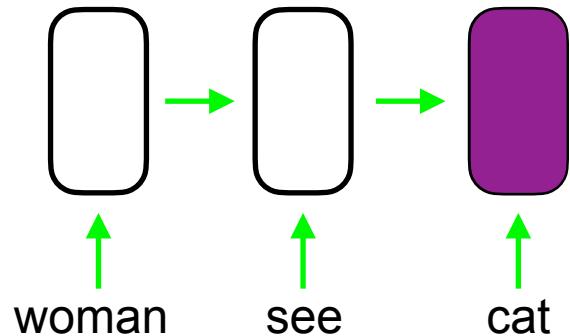
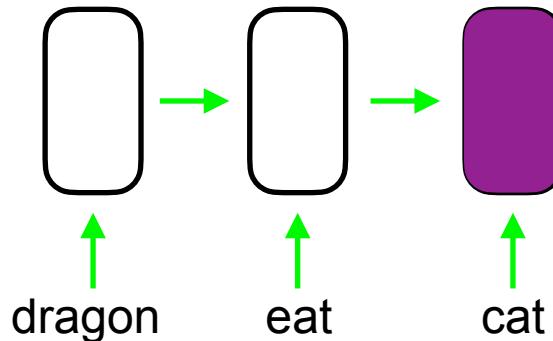
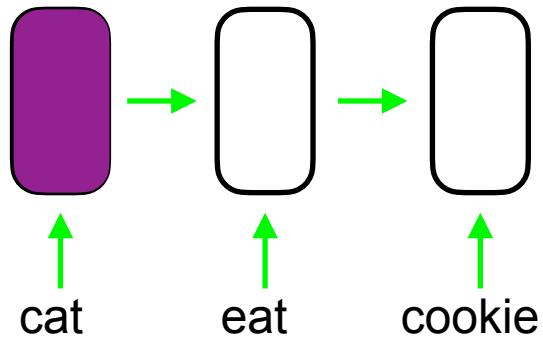
# Learning word classes

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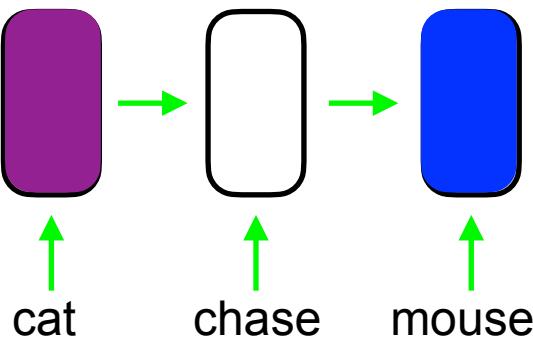
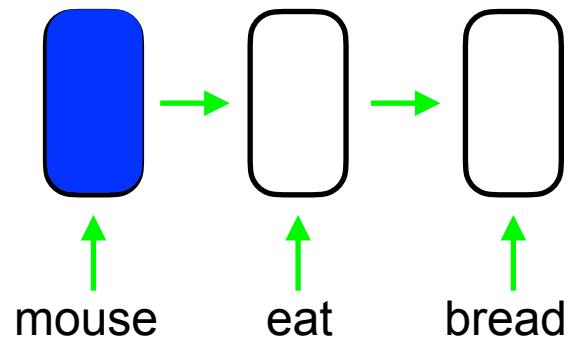
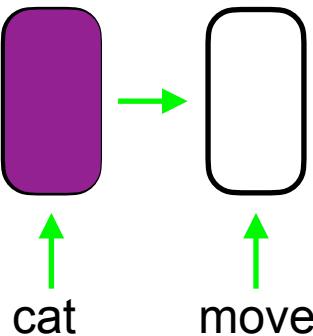
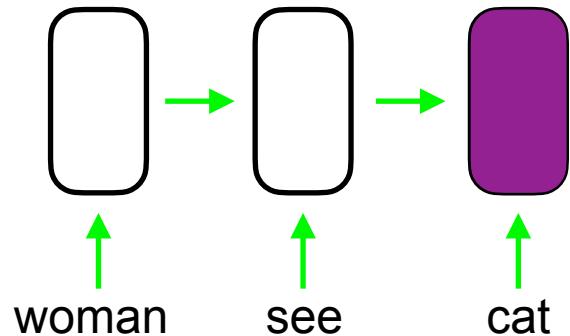
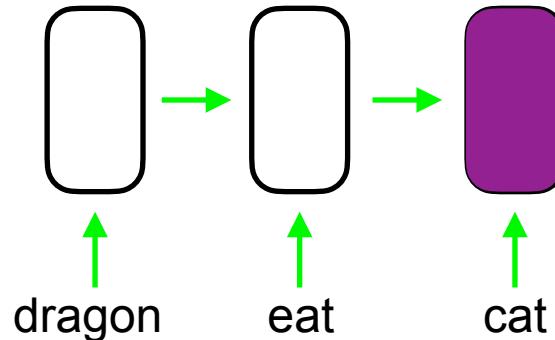
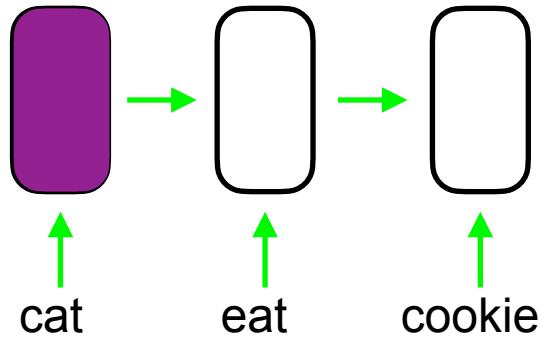
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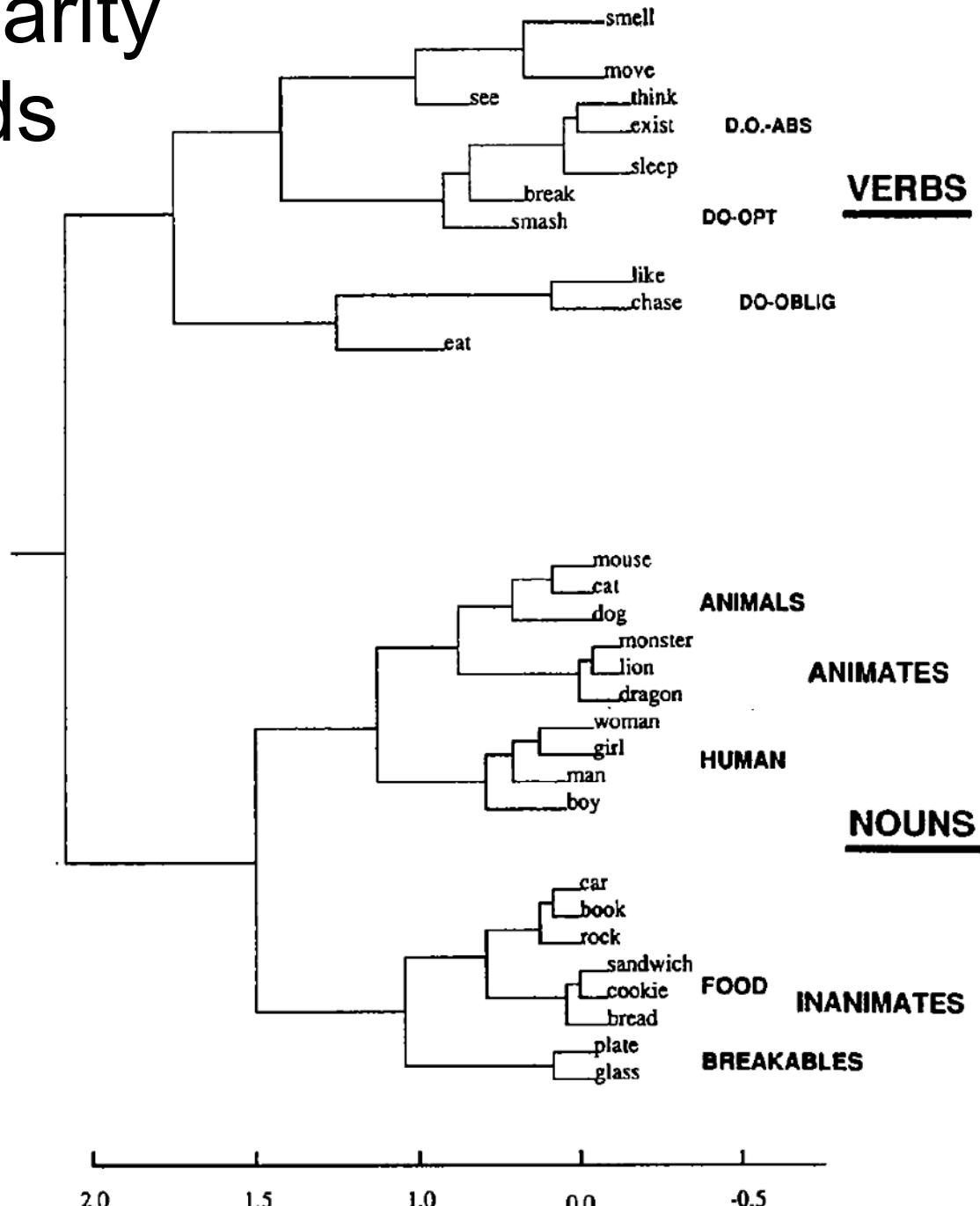


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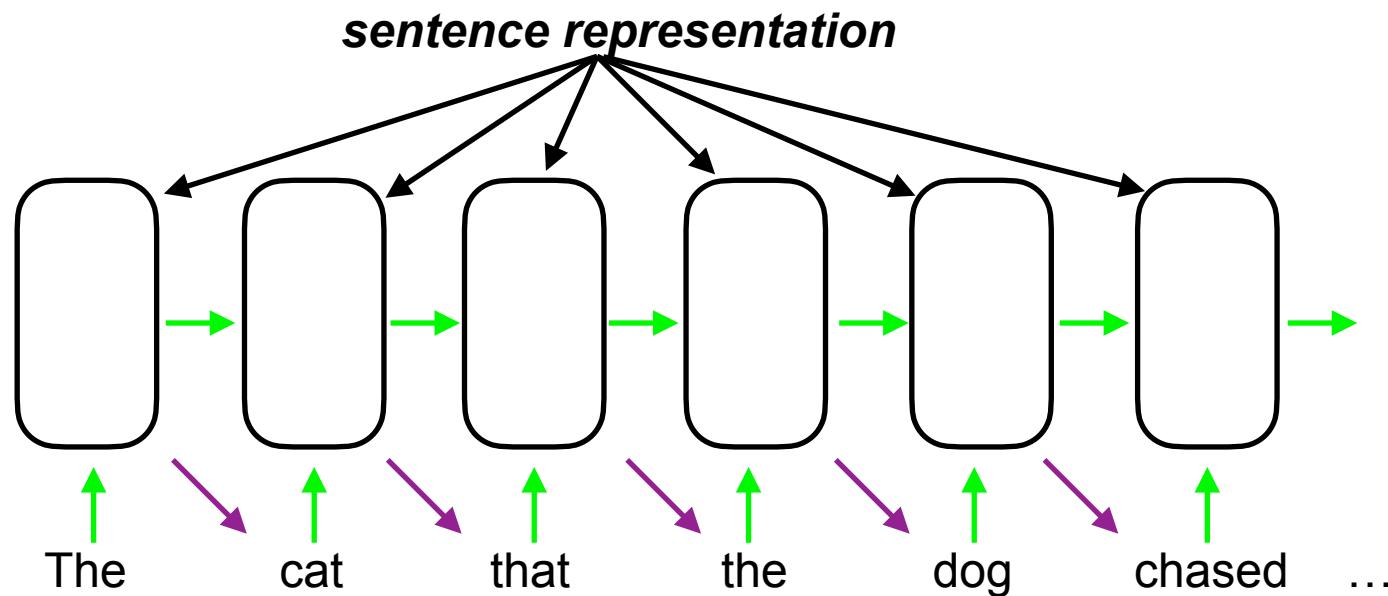


# Discovered similarity structure of words



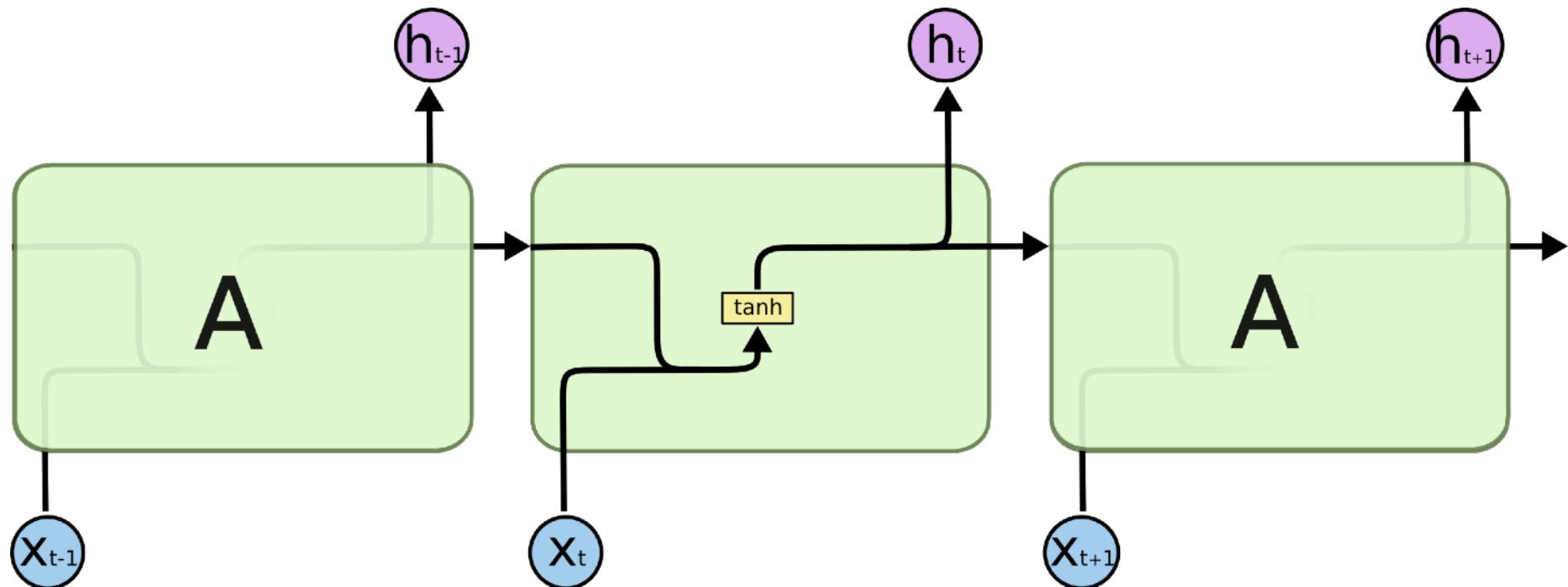
# Beyond the simple recurrent network

- The SRN has a very strong *linear locality bias*
- But natural language syntax is characterized by *hierarchical structure*
- SRNs can learn hierarchy (Elman, 1991), but *it is hard*—their inductive bias disfavors it



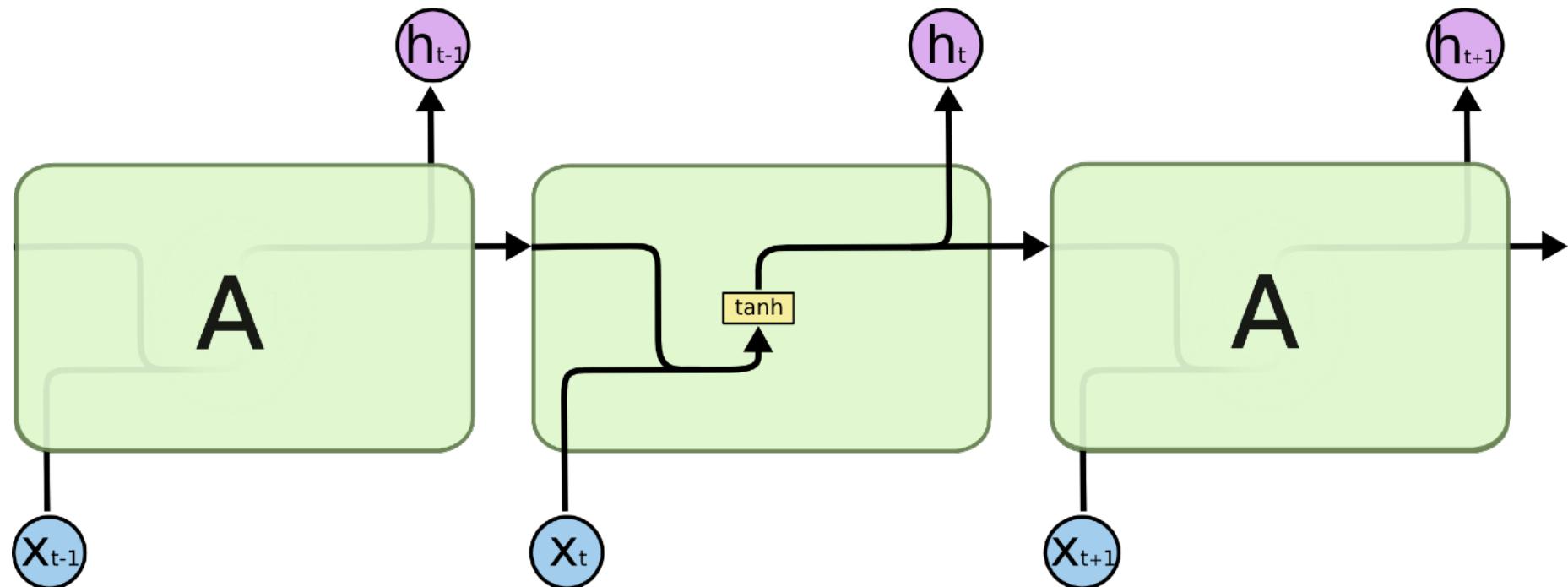
# More sophisticated recurrent units

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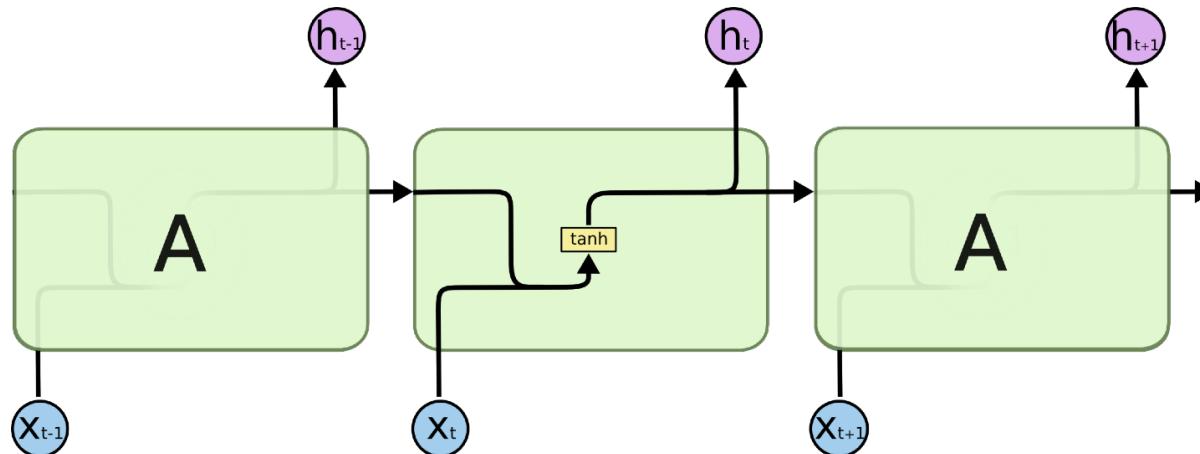
# More sophisticated recurrent units

- Another view of an unrolled SRN:



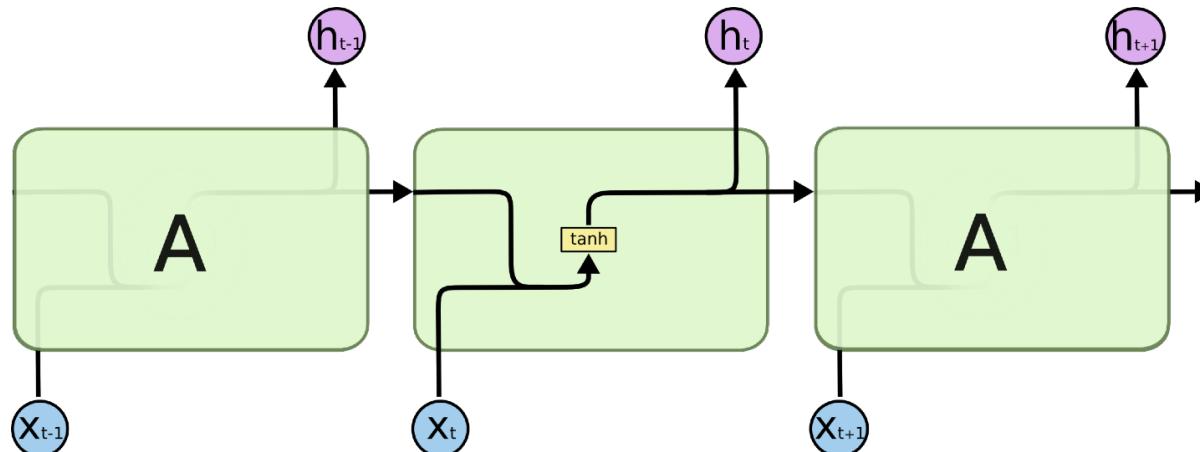
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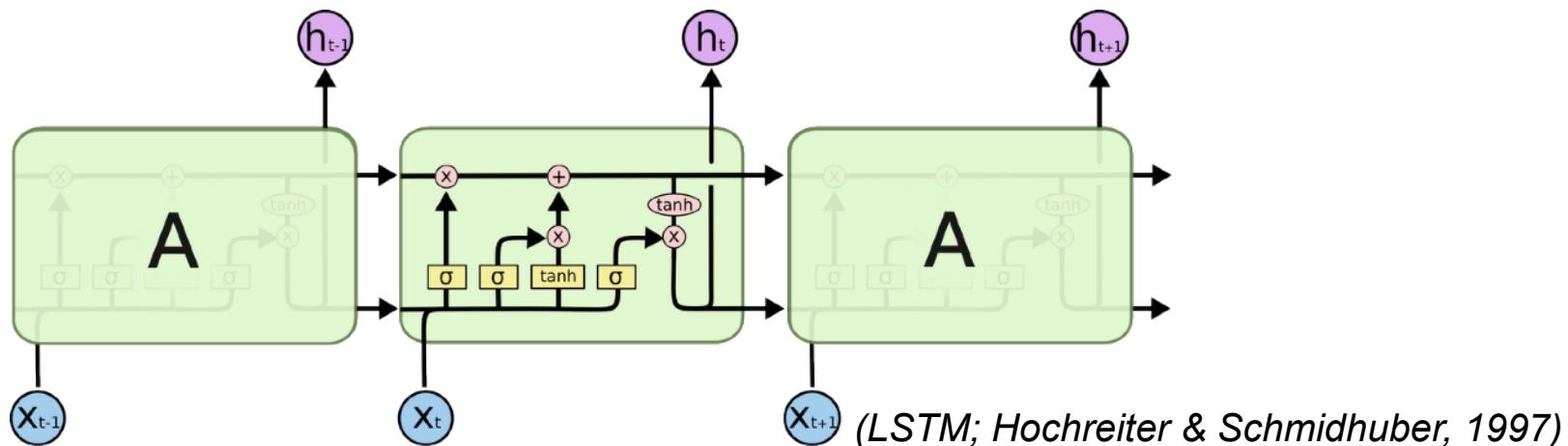


# More sophisticated recurrent units

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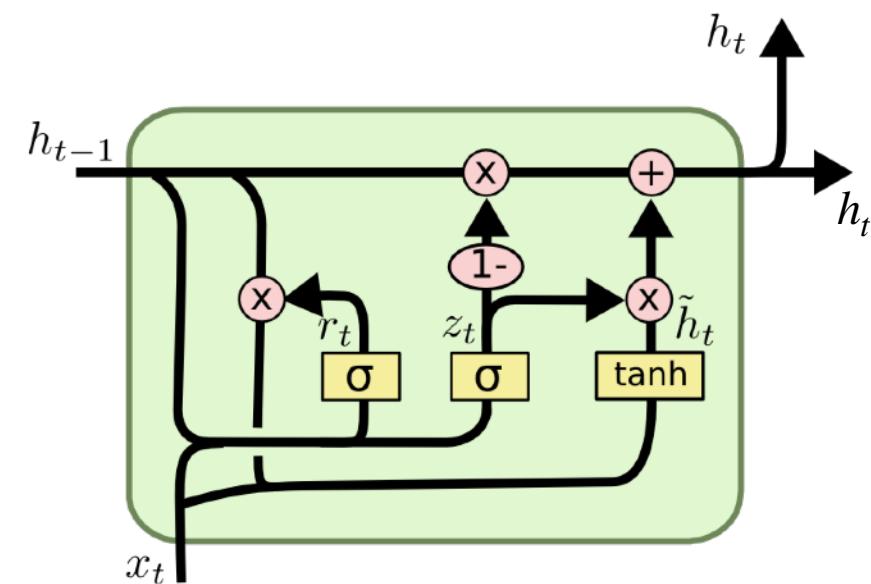
- Keep the recurrent structure and “swap in” a new unit:



(LSTM; Hochreiter & Schmidhuber, 1997)

# Gated Recurrent Unit (GRU) architecture

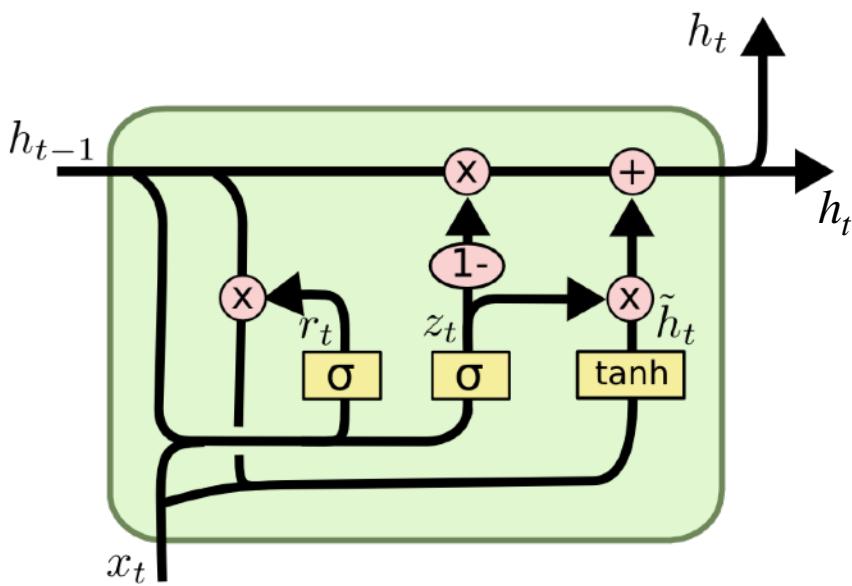
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# Gated Recurrent Unit (GRU) architecture

$$\mathbf{r}_t = \sigma(\mathbf{W}_r \mathbf{x}_t + \mathbf{U}_r \mathbf{h}_{t-1})$$

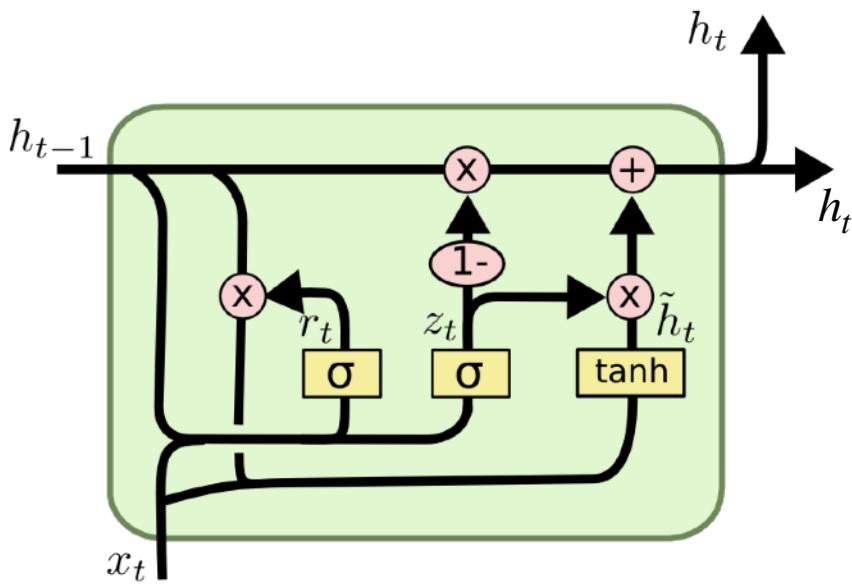
$$\tilde{\mathbf{h}}_t = \tanh(\mathbf{W} \mathbf{x}_t + \mathbf{U}(\mathbf{r}_t \odot \mathbf{h}_{t-1}))$$



$$\mathbf{z}_t = \sigma(\mathbf{W}_z \mathbf{x}_t + \mathbf{U}_z \mathbf{h}_{t-1})$$

$$\mathbf{h}_t = (1 - \mathbf{z}_t) \odot \mathbf{h}_{t-1} + \mathbf{z}_t \odot \tilde{\mathbf{h}}_t$$

# Gated Recurrent Unit (GRU) architecture



*logistic/sigmoid activation function*

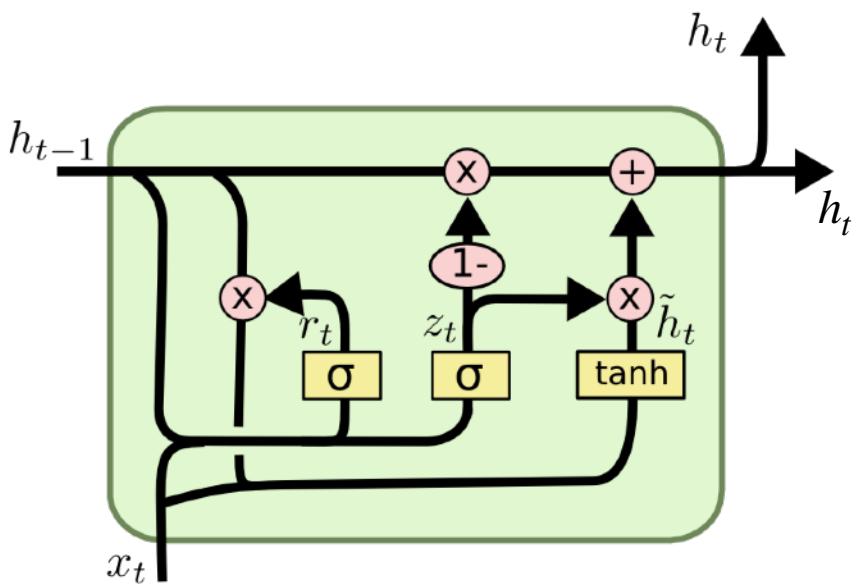
$$\mathbf{r}_t = \sigma(\mathbf{W}_r \mathbf{x}_t + \mathbf{U}_r \mathbf{h}_{t-1})$$

$$\tilde{\mathbf{h}}_t = \tanh(\mathbf{W} \mathbf{x}_t + \mathbf{U} (\mathbf{r}_t \odot \mathbf{h}_{t-1}))$$

$$\mathbf{z}_t = \sigma(\mathbf{W}_z \mathbf{x}_t + \mathbf{U}_z \mathbf{h}_{t-1})$$

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# Gated Recurrent Unit (GRU) architecture



*logistic/sigmoid activation function*

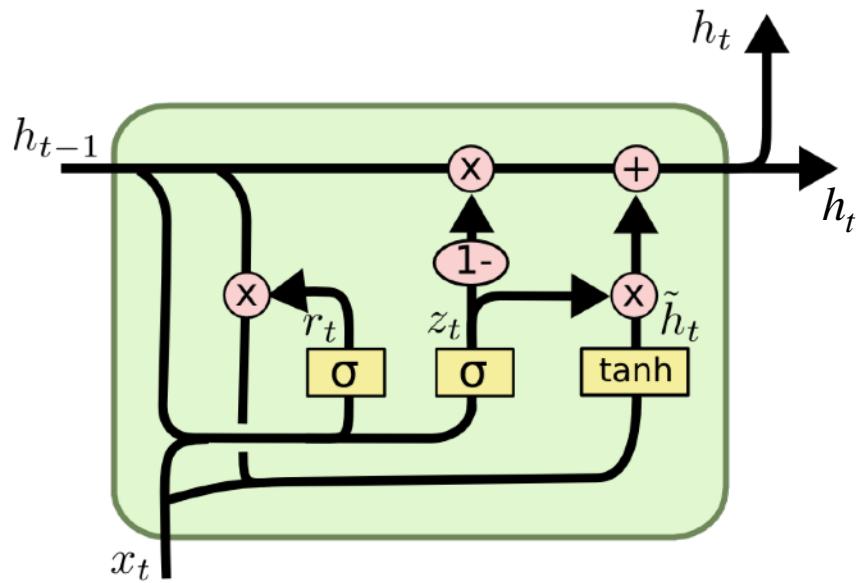
$$\mathbf{r}_t = \sigma(\mathbf{W}_r \mathbf{x}_t + \mathbf{U}_r \mathbf{h}_{t-1})$$

$$\tilde{\mathbf{h}}_t = \tanh(\mathbf{W} \mathbf{x}_t + \mathbf{U} (\mathbf{r}_t \odot \mathbf{h}_{t-1}))$$

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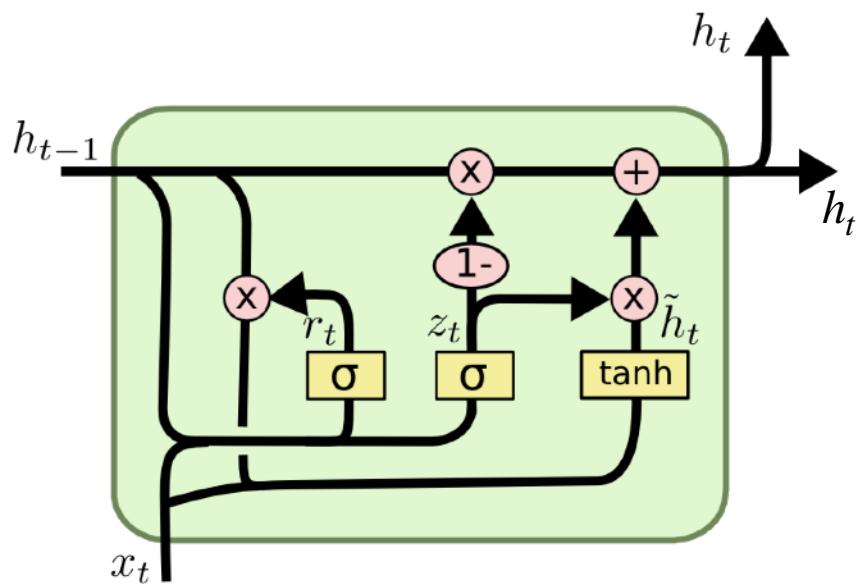
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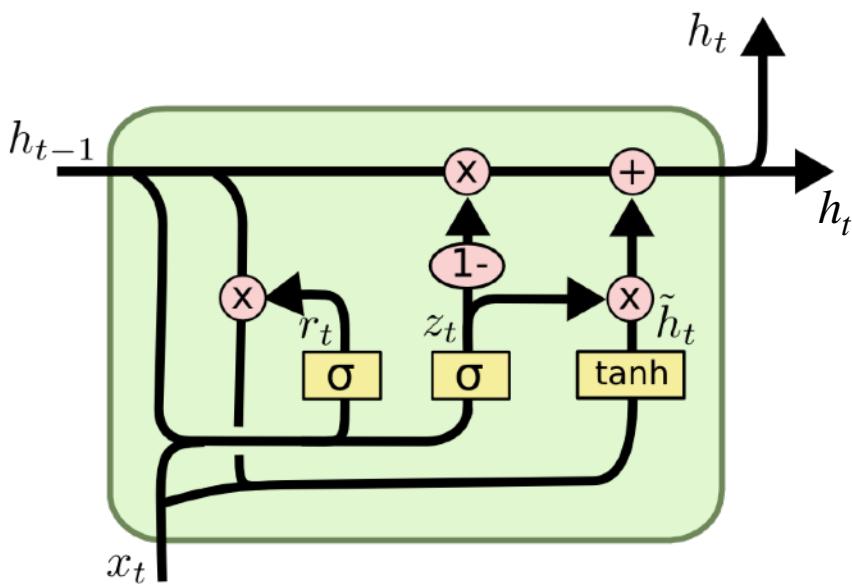
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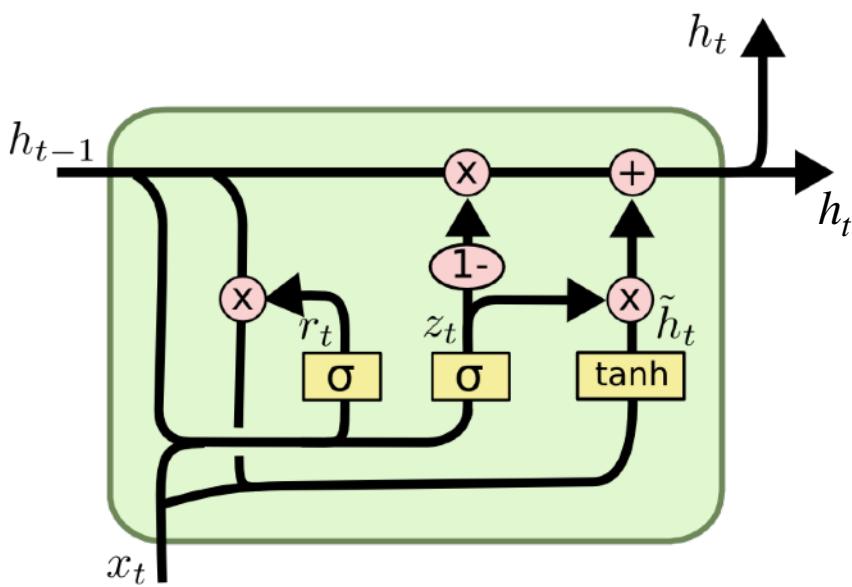
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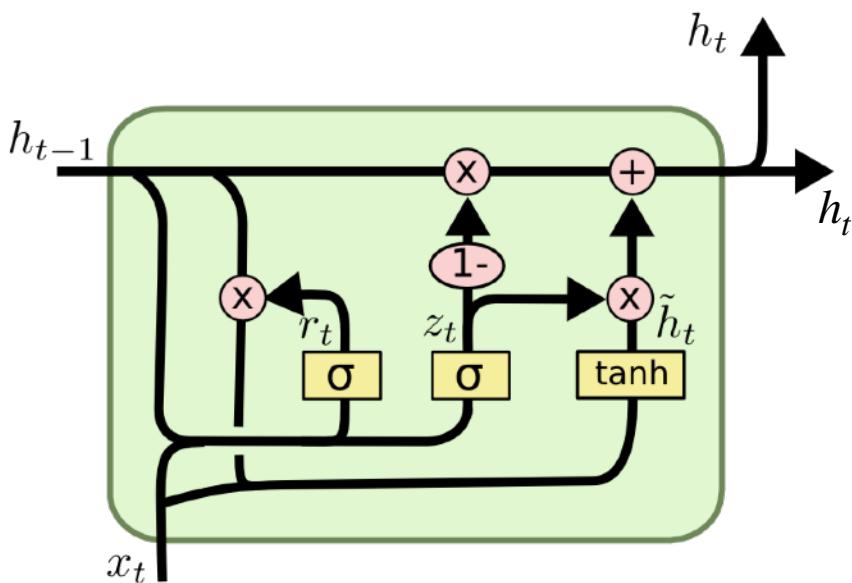
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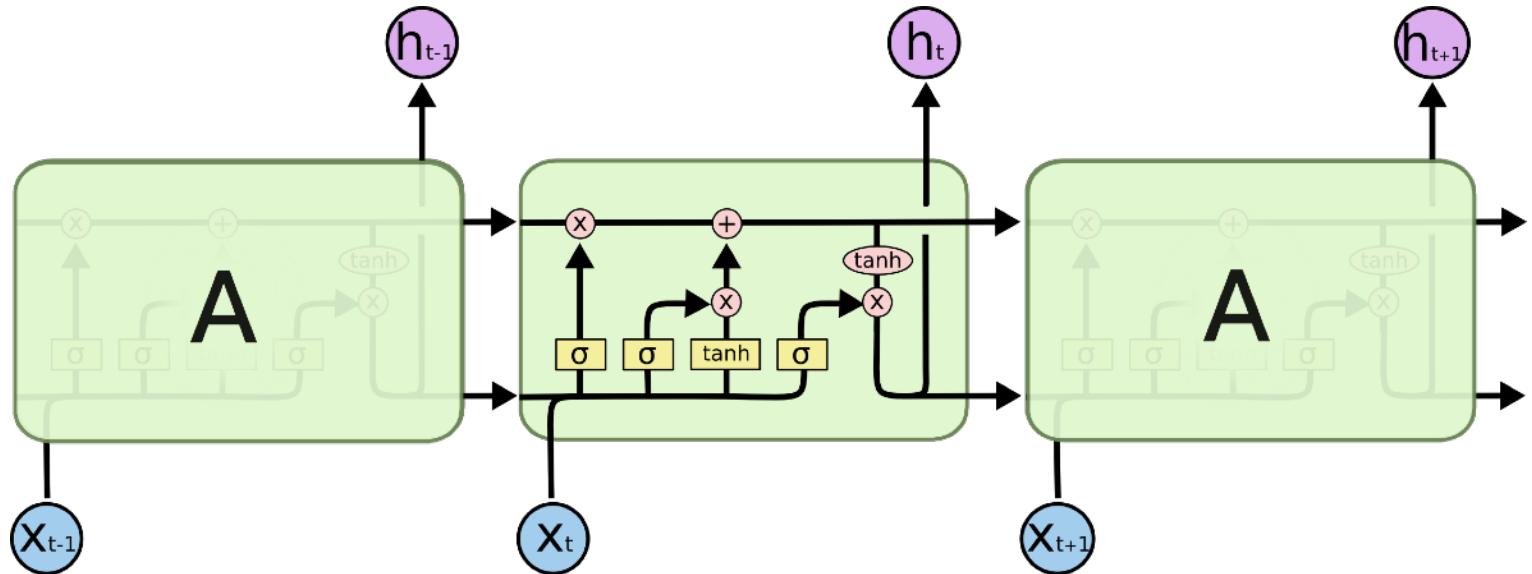
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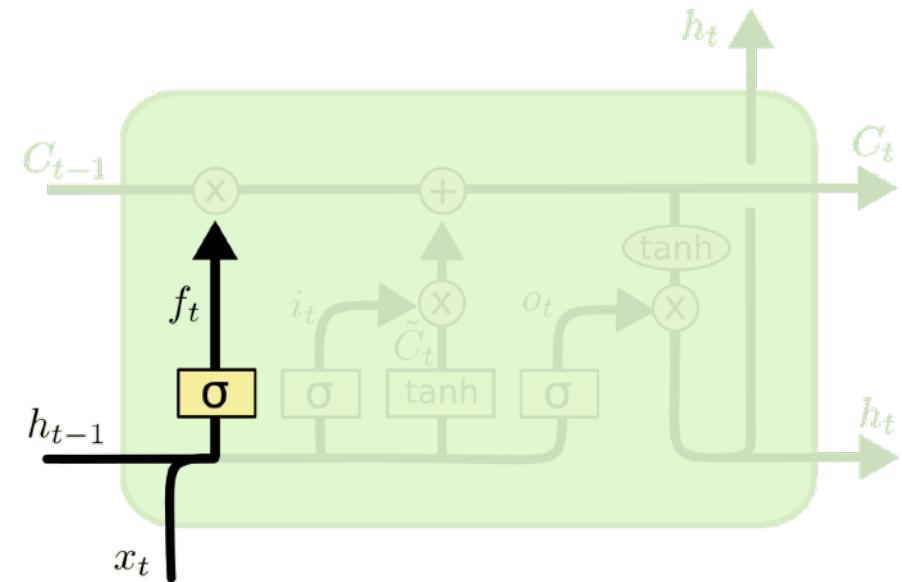
# Long short-term memory (LSTM) units



(Hochreiter & Schmidhuber, 1997)

# Inside the LSTM unit

- The “hidden layer”  $\mathbf{h}_{t-1}$  was used to predict element  $t$  of the sequence
- It now gets passed through a “forget gate”



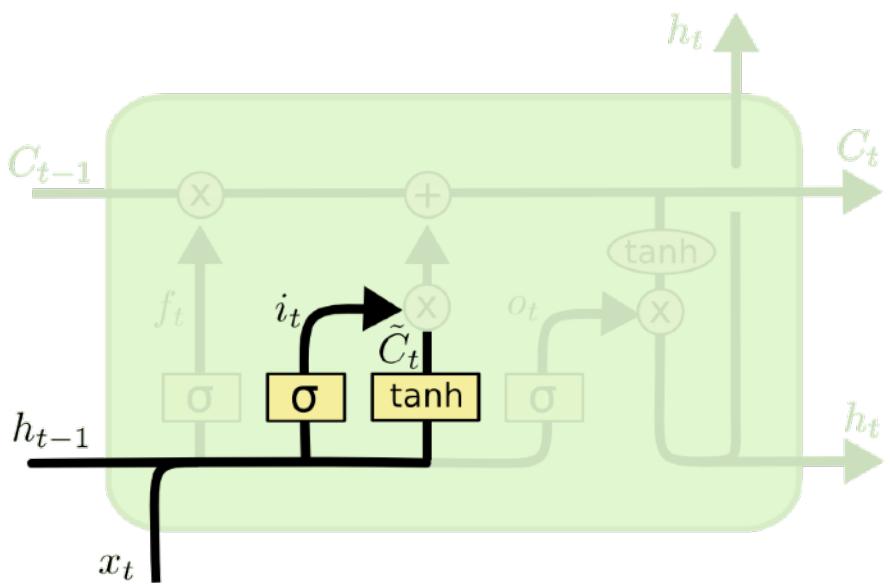
$$\mathbf{f}_t = \sigma(\mathbf{U}_f \mathbf{h}_{t-1} + \mathbf{W}_f \mathbf{x}_t)$$

(Hochreiter & Schmidhuber, 1997)

visualization due to Christopher Olah, <http://colah.github.io/posts/2015-08-Understanding-LSTMs/>

# Inside the LSTM unit

- Other information from  $h_{t-1}$  gets put into the memory store

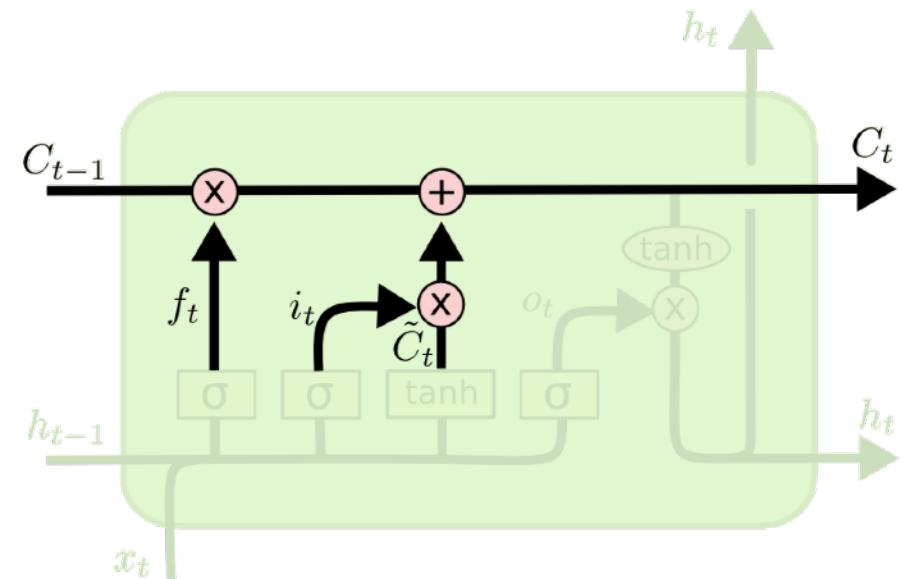


$$\mathbf{i}_t = \sigma(\mathbf{U}_i \mathbf{h}_{t-1} + \mathbf{W}_i \mathbf{x}_t)$$

$$\tilde{\mathbf{C}}_t = \tanh(\mathbf{U}_C \mathbf{h}_{t-1} + \mathbf{W}_C \mathbf{x}_t)$$

# Inside the LSTM unit

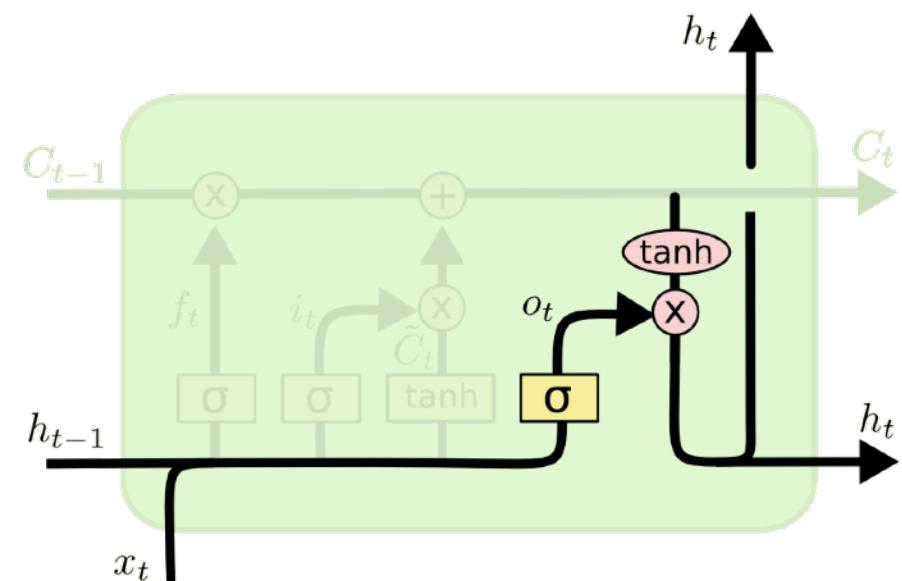
- That information gets integrated into the memory store (which also gets passed on to the future)



$$C_t = f_t \odot C_{t-1} + i_t \odot \tilde{C}_t$$

# Inside the LSTM unit

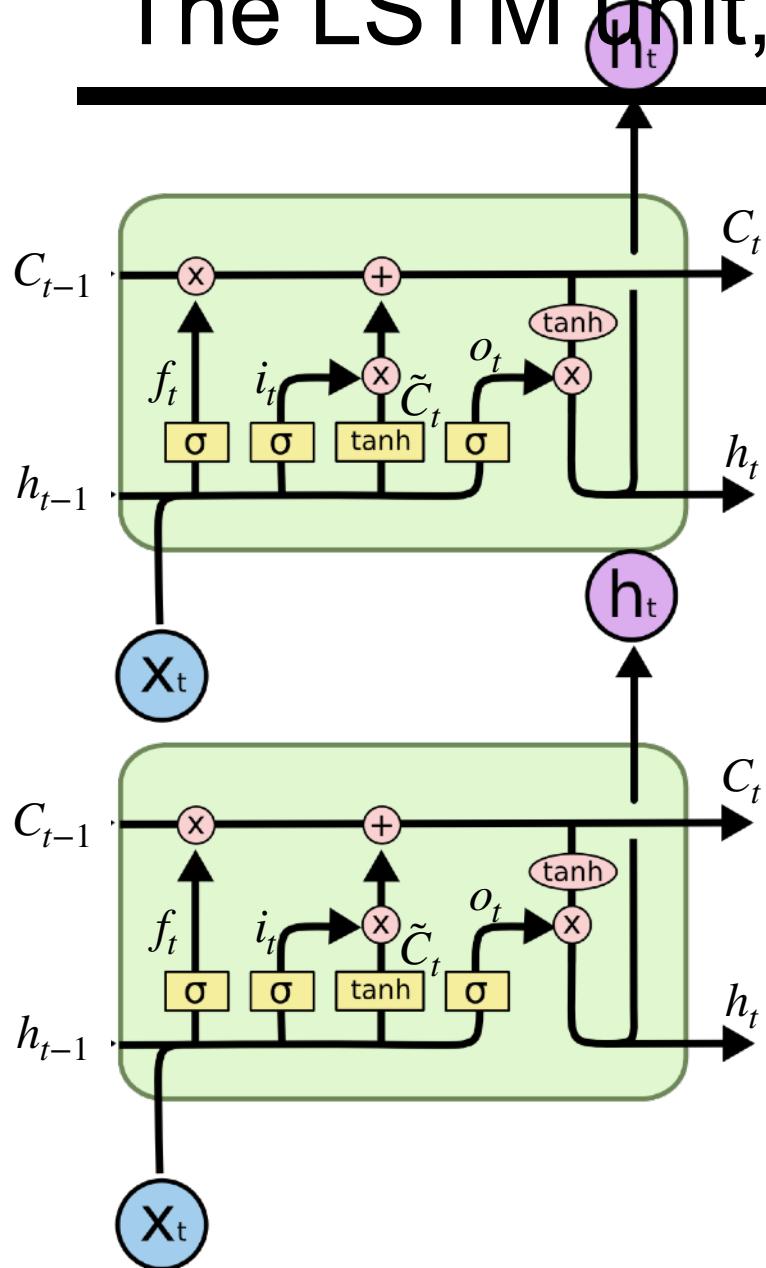
- Finally, we determine the new hidden layer to predict input  $t+1$



$$\mathbf{o}_t = \sigma(\mathbf{U}_\mathbf{o} \mathbf{h}_{t-1} + \mathbf{W}_\mathbf{o} \mathbf{x}_t)$$

$$\mathbf{h}_t = \mathbf{o}_t \odot \tanh(\mathbf{C}_t)$$

# The LSTM unit, complete



$$\mathbf{f}_t = \sigma(\mathbf{U}_f \mathbf{h}_{t-1} + \mathbf{W}_f \mathbf{x}_t)$$

$$\mathbf{i}_t = \sigma(\mathbf{U}_i \mathbf{h}_{t-1} + \mathbf{W}_i \mathbf{x}_t)$$

$$\tilde{\mathbf{C}}_t = \tanh(\mathbf{U}_C \mathbf{h}_{t-1} + \mathbf{W}_C \mathbf{x}_t)$$

$$\mathbf{C}_t = \mathbf{f}_t \odot \mathbf{C}_{t-1} + \mathbf{i}_t \odot \tilde{\mathbf{C}}_t$$

$$\mathbf{o}_t = \sigma(\mathbf{U}_o \mathbf{h}_{t-1} + \mathbf{W}_o \mathbf{x}_t)$$

$$\mathbf{h}_t = \mathbf{o}_t \odot \tanh(\mathbf{C}_t)$$

# Learning the classic counting language

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$a^n b^n$

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Easily generable with a context-free grammar:

$$\begin{array}{l} S \rightarrow a \ b \\ S \rightarrow a \ S \ b \end{array}$$

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$^aabb\$$

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$\vdots$

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$D_{train}$

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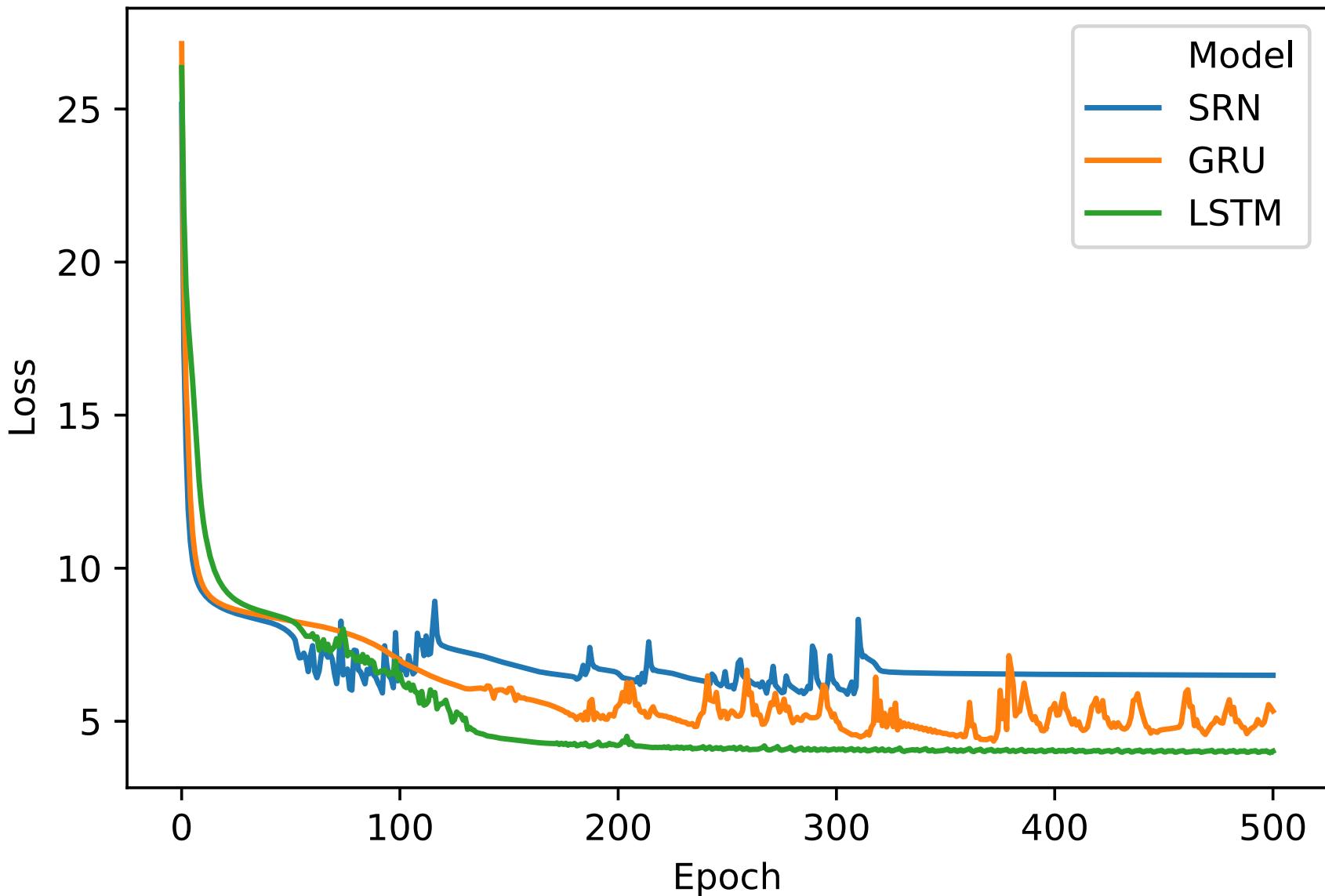
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$N=20$

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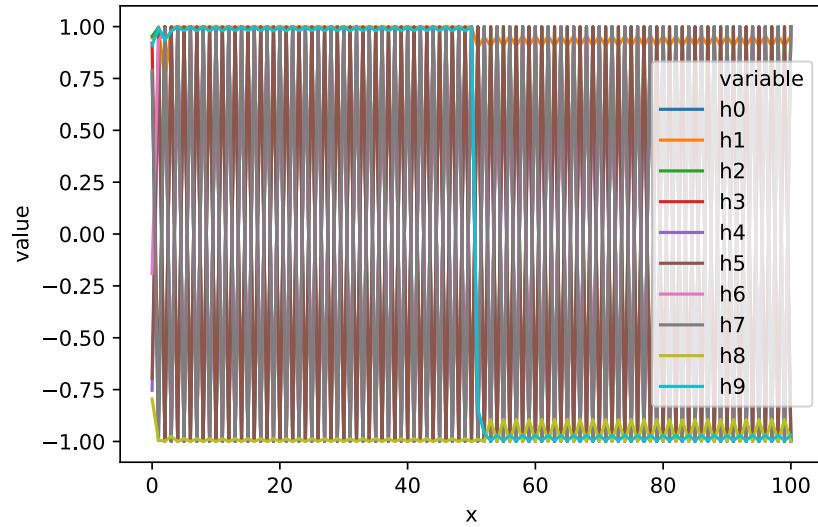
# Training recurrent architectures on $a^n b^n$

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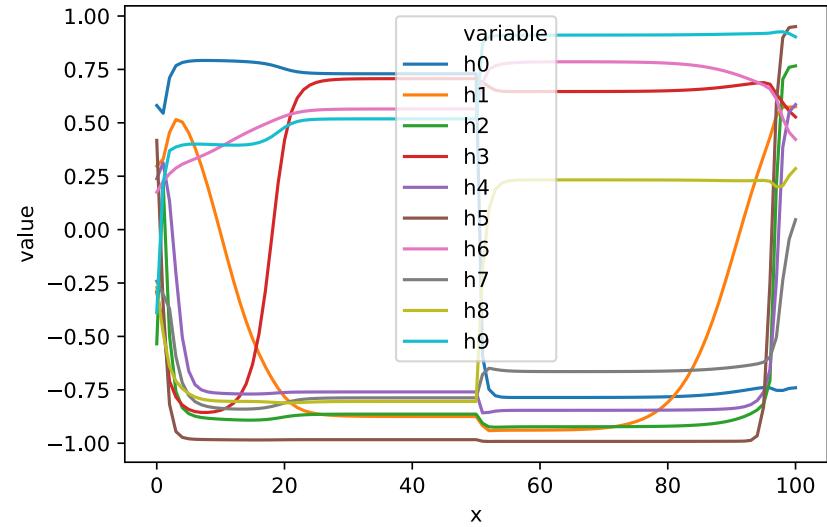


# Hidden & cell state contents

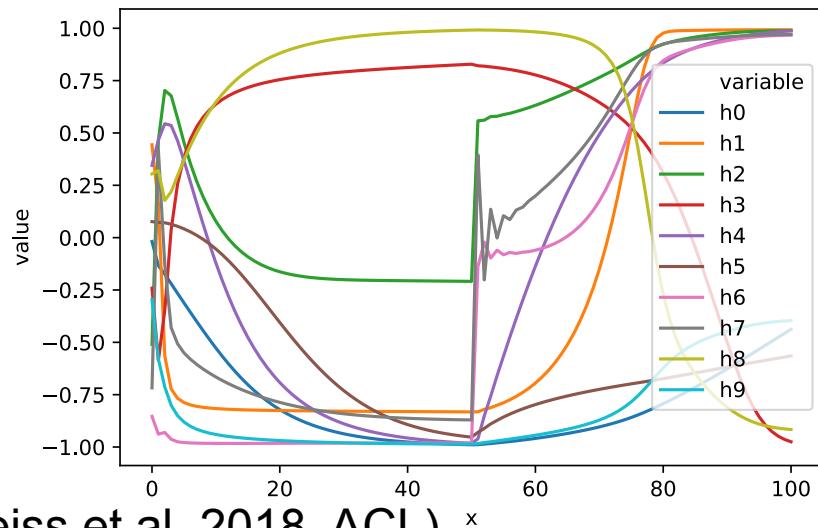
**SRN hidden state**



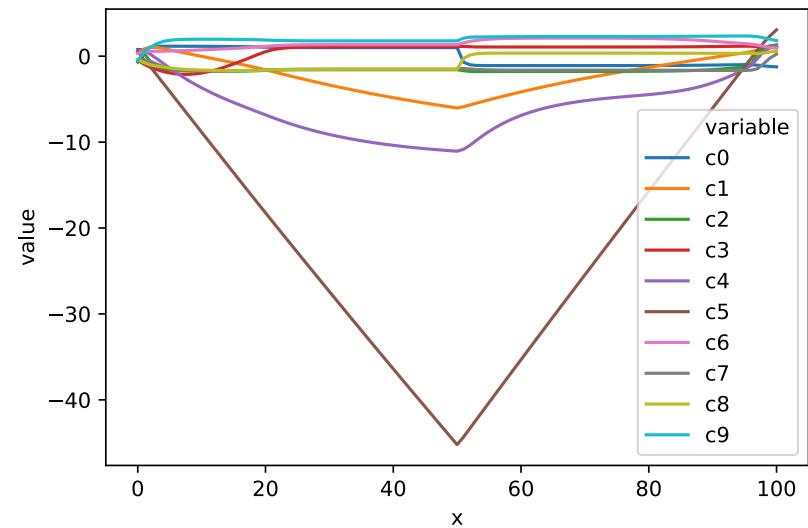
**LSTM hidden state**



**GRU hidden state**



**LSTM cell state**



# Summary

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- Mechanisms for neural networks at the sentence level:
  - Learned word embeddings
  - Recurrent state representation
- Different units used for recurrent state representation:
  - Simple recurrent network (SRN)
  - Gated recurrent unit (GRU)
  - Long short-term memory (LSTM)
- For classic counting language, LSTM works the best